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**EPFL**  
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Space  
Propulsion  
ENG-510



# Lecture # 2

## Part # 2

### Introduction in Propulsion Systems

Brief overview on all space  
propulsion systems

# What is the principle of Space Propulsion?

## Basic Working Principle for Propulsion:

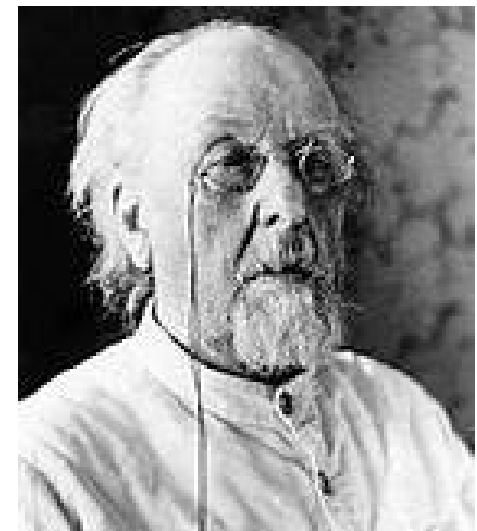
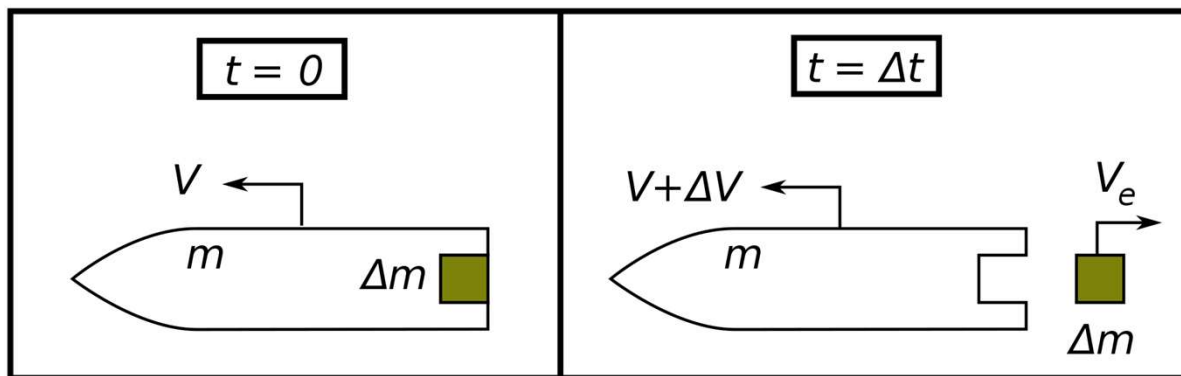
- In its simplest form, a propulsion system accelerates matter to provide a force of thrust that moves or rotates a vehicle
- Example: Small row boat on the lake of Geneva
- Basic rocket equation (Tsiolkovsky rocket equation):  
The basis principle of a classical rocket engine is to eject mass with a high velocity. The recoil of this ejection is then increasing the velocity of the Spacecraft (S/C) including the Payload (P/L) as well as the remaining propellant

# What is the principle of Space Propulsion?

Basic Working Principle for Propulsion:

- Basic rocket equation (Tsiolkovsky rocket equation)

$$\Delta v = v_e \ln \frac{m_0}{m_1}$$



Konstantin Tsiolkovsky

# What is the principle of Space Propulsion?

Basic Working Principle for Propulsion:

- Basic rocket equation (Tsiolkovsky rocket equation)

$$\Delta v = v_e \ln \frac{m_0}{m_1}$$

$\Delta v$ ...Delta v - maximal change of velocity of the vehicle (with no external forces acting like gravitational forces or drag) [m / s]

$v_e$ ...Exhaust velocity [m / s]

$m_0$ ...Mass @  $t_0$  [kg]

$m_1$ ... Mass @  $t_1$  [kg]

# What is the principle of Space Propulsion?

Basic Working Principle for Propulsion:

- Mass relations for different time steps:

$$m_1 = m_0 - \Delta m$$

$\Delta m$ ...Ejected mass [kg]

$$m_w = m_d + m_p$$

$m_w$ ...Initial total mass (including propellant – i.e. wet mass) [kg]

$m_d$ ...Final total mass (without propellant – i.e. dry mass) [kg]

$m_p$ ...Propellant mass [kg]



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Basic Working Principle for Propulsion:

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# What is the principle of Space Propulsion?

Basic Working Principle for Propulsion:

- Basic rocket equation (Tsiolkovsky rocket equation)

$$\frac{m_w}{m_d} = e^{\frac{\Delta v}{v_e}}$$

$$\frac{m_d + m_p}{m_d} = e^{\frac{\Delta v}{v_e}}$$

$$m_d + m_p = m_d e^{\frac{\Delta v}{v_e}}$$

$$m_p = m_d e^{\frac{\Delta v}{v_e}} - m_d$$



# What is the principle of Space Propulsion?

Basic Working Principle for Propulsion:

- Basic rocket equation (Tsiolkovsky rocket equation)

$$m_p = m_d \left( e^{\frac{\Delta v}{v_e}} - 1 \right)$$

Exhaust velocity describes the magnitude for the performance of the propulsion system in relation with complexity, risk, cost, ...

$$MR = \frac{m_w}{m_d} = \frac{m_d + m_p}{m_d} \Rightarrow \Delta v = v_e \ln MR$$

*MR*...Mass ratio between initial mass and final mass [-]

# What is the principle of Space Propulsion?

Basic Working Principle for Propulsion:

- Performance of orbital maneuvers (small changes of orbit trajectory)
- Compensation of perturbations (orbit raising to compensate drag losses)
- Long duration burns (for significant  $\Delta v$  increases)
- Attitude control (with short, directed thrust (impulse, force push) linked to 3-axis control)
- Landing burns (for landing on the Moon)
- Lift-off burns requiring high thrust levels

# What is the principle of Space Propulsion?

Basic Working Principle for Propulsion:

- Example: How can we maximize the speed of the row boat on the Water?
- Example: What was the problem with the Water rocket failing to reach an orbit respectively the targeted altitude of 100 m?

# What is important on $\Delta v$ ?

Objective: To understand some specific points on  $\Delta v$

- First one must differ between  $v$  and  $\Delta v$
- $v$  is the current velocity of a Spacecraft on his trajectory
- $v$  could be constant on a circular orbit or changing permanently on an elliptical orbit (w/o any propulsion)
- $\Delta v$  is the impulse which must be given to a Spacecraft to change the trajectory (e.g. change from elliptical to circular orbit or vice-versa)

# What is important on $\Delta v$ ?

Objective: To understand some specific points on  $\Delta v$

- $\Delta v$  is not only resulting from space propulsion systems
- $\Delta v$  is not only velocity change but also orbit change
- $\Delta v$  is not only linked to start point and end point only but also on the way between the two points (orbital trajectory)
- $\Delta v$  is not equal to velocity change
- $\Delta v$  is the same for deceleration and acceleration

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# What is important on $\Delta v$ ?

Objective: To understand some specific points on  $\Delta v$

- $\Delta v$  is not only resulting from space propulsion systems
- $\Delta v$  changes are also given due to drag forces, gravitational forces, ... and similar
- Example: ISS altitude is reduced every day by about 50 to 150 m linked to residual drag forces



# What is important on $\Delta v$ ?

Objective: To understand some specific points on  $\Delta v$

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# What is important on $\Delta v$ ?

Objective: To understand some specific points on  $\Delta v$

- $\Delta v$  is not only a velocity change but also directly an orbit change (which makes rendezvous maneuver in space very tricky...)
- $\Delta v$  could be called as index / key increment of a space journey
- Changing the  $\Delta v$  is changing the orbit and also changing the energy of the spacecraft

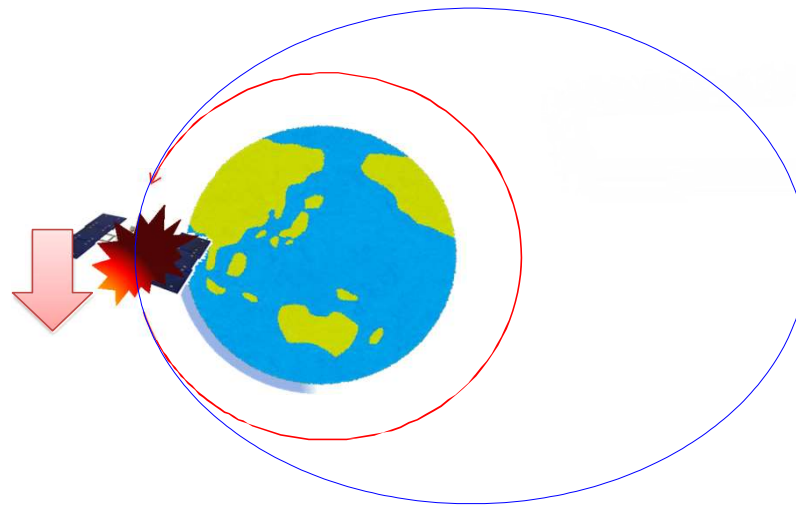
$$E = \frac{1}{2}mv^2 - m\frac{\mu}{r}$$

$\mu$ ...Standard gravitational parameter [ $\text{m}^3 / \text{s}^2$ ] (Earth  $3.986\text{E}14 \text{ m}^3/\text{s}^2$ )

# What is important on $\Delta v$ ?

Objective: To understand some specific points on  $\Delta v$

- Important  $\Delta v$  impulse on circular orbit changes the trajectory to an elliptical orbit (assuming escape velocity is not reached) and increasing the energy



# What is important on $\Delta v$ ?

Objective: To understand some specific points on  $\Delta v$

- On the elliptical orbit the real velocity is permanently changing (as well as radius of flight trajectory) considering the Energy conservation
- This velocity change is occurring without any further space propulsion impulse, just linked to the orbital trajectory and the Energy conservation which is described by the vis-viva equation

# What is important on $\Delta v$ ?

Objective: To understand some specific points on  $\Delta v$

- Vis-viva equation in astrodynamics the orbital-energy-invariance law:

$$v^2 = \mu \left( \frac{2}{r} - \frac{1}{a} \right)$$

$v$ ...Speed of an orbiting body [m / s]

$\mu$ ...Standard gravitational parameter [m<sup>3</sup> / s<sup>2</sup>] (Earth 3.986E14 m<sup>3</sup>/s<sup>2</sup>)

$r$ ...Distance of the orbiting body from the primary focus / body [m]

$a$ ...Semi-major axis of the body's orbit [m]

# What is important on $\Delta v$ ?

Objective: To understand some specific points on  $\Delta v$

- $\Delta v$  is not (really) time dependent following the basic rocket equation

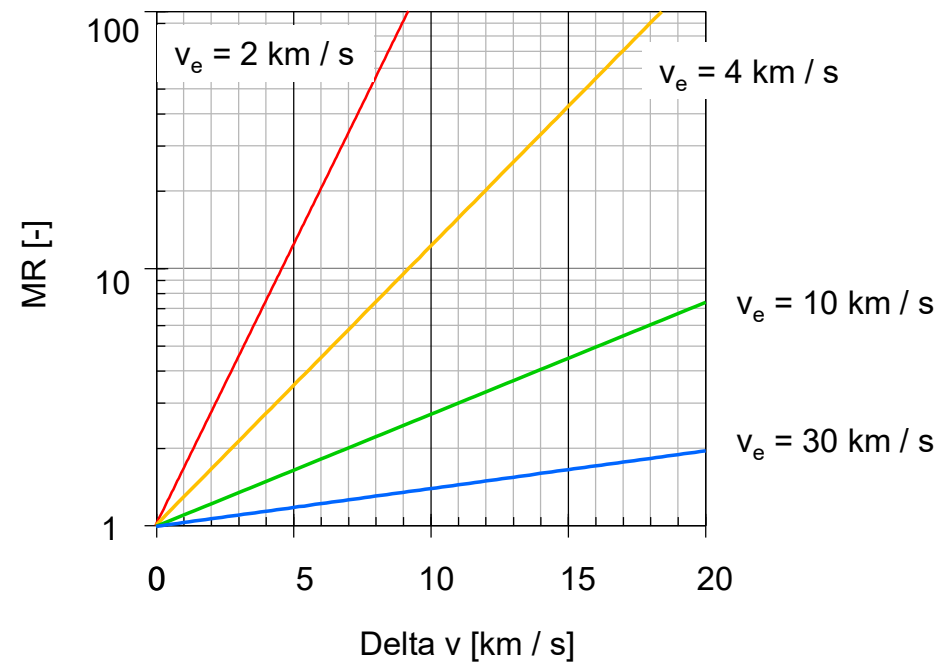
$$\Delta v = v_e \ln \frac{m_0}{m_1}$$

- In other words, the efficiency of orbit changes is increased in case the impulse is given in a very short time span
- In that sense it is helpful to consider multiple engines for increasing mass exhaust but on the other hand mass ratio MR is also changed
- Trade-off needs to be performed between efficiency gain versus mass penalty

# What is important on $\Delta v$ ?

Objective: To understand some specific points on  $\Delta v$

- For same  $\Delta v$  need, the mass ratio (MR) between initial mass (dry mass + propellant mass) to final mass (dry mass) is smaller for higher exhaust velocity ( $v_e$ ), i.e. efficiency is higher





# What is important on $\Delta v$ ?

Objective: To understand some specific points on  $\Delta v$

- Exhaust velocity is often referred to as specific impulse

$$I_{sp} = \frac{v_e}{g_0}$$

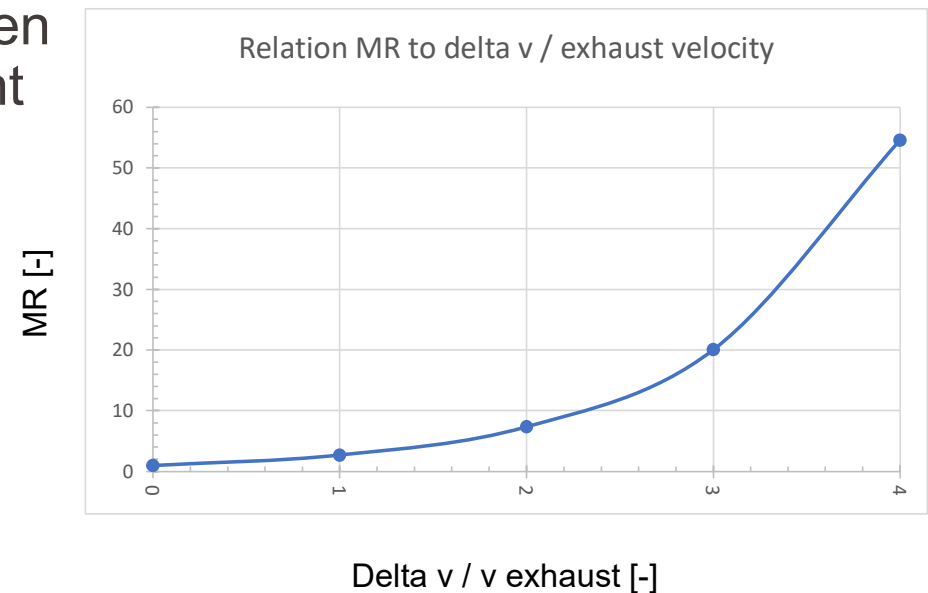
$I_{sp}$ ...Specific impulse [s]

$g_0$ ...Earth gravitational acceleration [m / s<sup>2</sup>] (9.807 m/s<sup>2</sup>)

# What is important on $\Delta v$ ?

Objective: To understand some specific points on  $\Delta v$

- For given mass ratio (MR) between initial mass (dry mass + propellant mass) to final mass (dry mass), maximal achievable  $\Delta v$  is depending on the effective exhaust velocity ( $v_e$ )
- Necessary wet mass grows exponentially with the desired  $\Delta v$



# What is important on $\Delta v$ ?

Objective: To understand some specific points on  $\Delta v$

- Example 1: Assume an exhaust velocity of 4500 meters per second and a delta v target of 9700 meters per second (corresponding to the needed delta v for a Low Earth Orbit (LEO) including delta v need to overcome gravitational and drag forces) for a single-stage-to-orbit

$$e^{\frac{9.7}{4.5}} = 8,6 \Rightarrow MR = \frac{m_w}{m_d} = \frac{m_d + m_p}{m_d} = 8,6 \Rightarrow \frac{m_p}{m_d} = 0,884$$

So 88.4 % is the required mass fraction, i.e. 88.4 % of the initial mass must be propellant. The remaining 11.6 % is dry mass, which could be difficult to achieve without special measures (e.g. staging of launchers)

# What is important on $\Delta v$ ?

Objective: To understand some specific points on  $\Delta v$

- Example 2: To achieve a delta v of 10 000 meters per second with an exhaust velocity of 2 000 meters per second a mass ratio of 147 is needed and so a required mass fraction of 99,3 %

# What is important on $\Delta v$ ?

Objective: To understand some specific points on  $\Delta v$

- $\Delta v$  is not only resulting from space propulsion systems
- $\Delta v$  is not only velocity change but also orbit change
- **$\Delta v$  is not only linked to start point and end point only but also on the way between the two points (orbital trajectory)**
- $\Delta v$  is not equal to velocity change
- $\Delta v$  is the same for deceleration and acceleration

# What is important on $\Delta v$ ?

Objective: To understand some specific points on  $\Delta v$

- $\Delta v$  is not only linked to start point and end point only but also on the way between the two points (orbital trajectory)
- Two main different trajectories are discussed hereafter (not considering any change of inclination for simplification [inclination is the angular distance of the orbital plane from the plane of the planet's equator, stated in degrees])

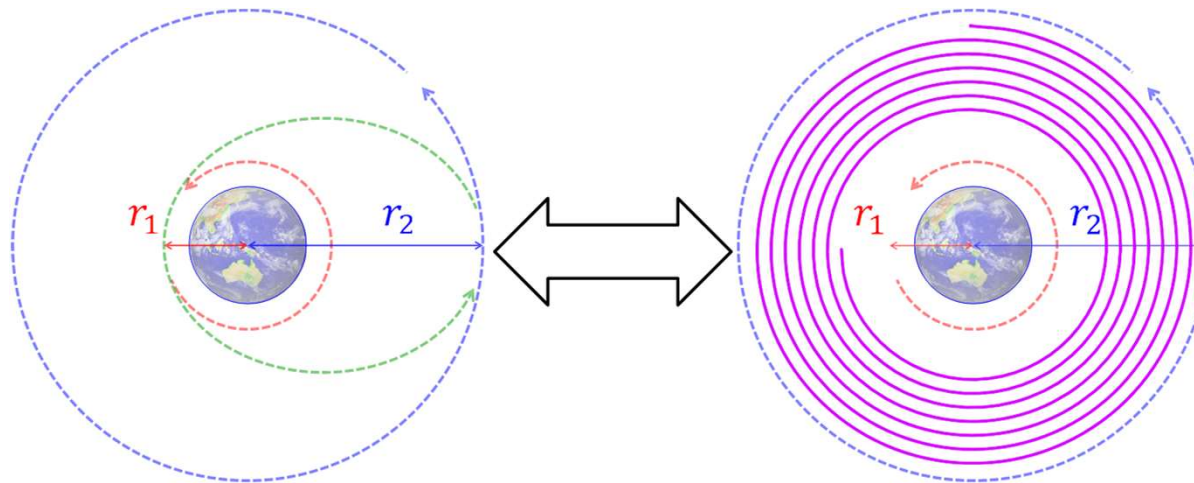
# What is important on $\Delta v$ ?

Objective: To understand some specific points on  $\Delta v$

- Two classical orbital changes must be known
  - Hohmann transfer (impulsive maneuver – two short impulses)
  - Edelbaum transfer (long duration maneuver with low thrust – spiral orbit raising)

Hohmann Transfer

Edelbaum Transfer





# What is important on $\Delta v$ ?

Objective: To understand some specific points on  $\Delta v$

- Hohmann transfer is a two-impulse orbit transfer
  - Acceleration in a period sufficiently smaller than the orbital period
  - Basic maneuver in chemical propulsion
  - Transfer from perigee (point close to Earth) to apogee (point far from Earth) on an elliptical trajectory

# What is important on $\Delta v$ ?

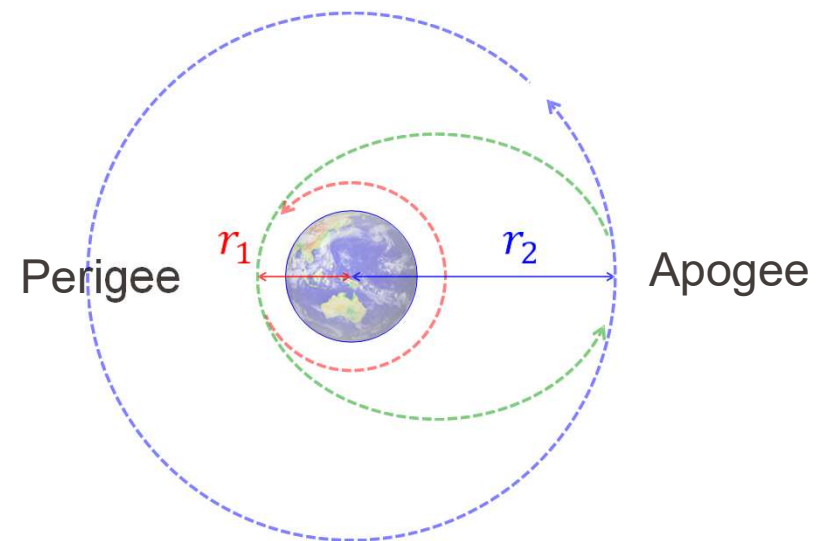
Objective: To understand some specific points on  $\Delta v$

- $\Delta v$  need for a Hohmann transfer is determined by (as derived from the vis-viva-equation considering instantaneous impulses):

$$\Delta v_1 = \sqrt{\frac{\mu}{r_1}} \left( \sqrt{\frac{2r_2}{r_1+r_2}} - 1 \right)$$

$$\Delta v_2 = \sqrt{\frac{\mu}{r_2}} \left( 1 - \sqrt{\frac{2r_1}{r_1+r_2}} \right)$$

$$\Delta v_{tot} = \Delta v_1 + \Delta v_2$$



# What is important on $\Delta v$ ?

Objective: To understand some specific points on  $\Delta v$

- Example:  $\Delta v$  need for a geostationary transfer considering the Hohmann transfer beginning at  $r_1 = 6\,678$  km (altitude 300 km) and ending in a geostationary Earth orbit with  $r_2 = 42\,164$  km (altitude 35\,786 km)
- In the smaller circular orbit, the speed is 7.73 km / s; in the larger one, 3.07 km / s. In the elliptical orbit in between the speed varies from 10.15 km / s at the perigee to 1.61 km / s at the apogee
- Therefore, the  $\Delta v$  for the first burn is  $10.15 - 7.73 = 2.42$  km / s, for the second burn  $3.07 - 1.61 = 1.46$  km / s, and for both together the total  $\Delta v$  is 3.88 km / s

# What is important on $\Delta v$ ?

Objective: To understand some specific points on  $\Delta v$

- Spiral orbit raising is a continuous thrust orbit transfer
  - Basic maneuvers in electric propulsion (Assumptions: tangential thrust, constant thrust and velocity = circular orbit velocity at its radius)

# What is important on $\Delta v$ ?

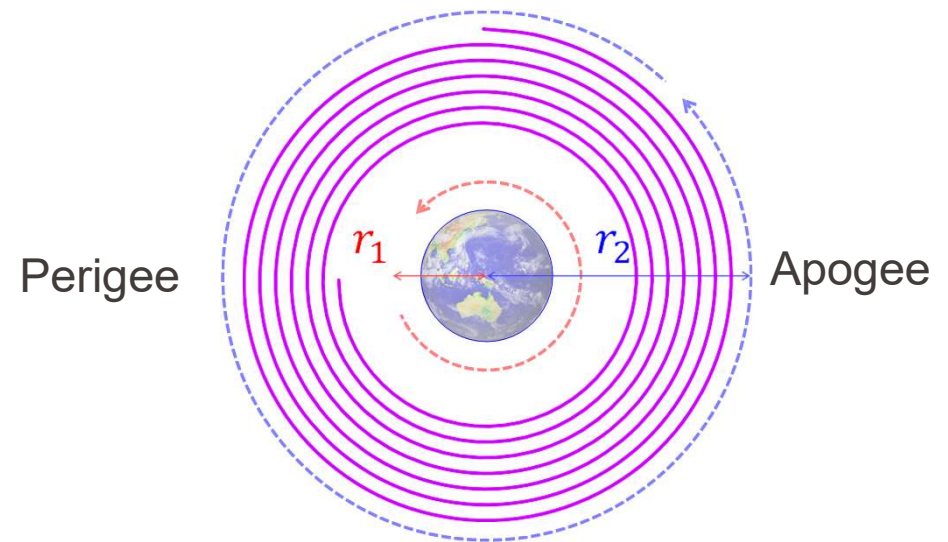
Objective: To understand some specific points on  $\Delta v$

- $\Delta v$  need for an Edelbaum transfer (spiral orbit raising) is determined by the following equations:

$$\Delta v_1 = \sqrt{\frac{\mu}{r_1}}$$

$$\Delta v_2 = \sqrt{\frac{\mu}{r_2}}$$

$$\Delta v_{tot} = \Delta v_1 - \Delta v_2$$



# What is important on $\Delta v$ ?

Objective: To understand some specific points on  $\Delta v$

- Example:  $\Delta v$  need for a geostationary transfer considering the Edelbaum transfer beginning at  $r_1 = 6\,678$  km (altitude 300 km) and ending in a geostationary Earth orbit with  $r_2 = 42\,164$  km (altitude 35\,786 km)
- In the smaller circular orbit the speed is 7.73 km / s; in the larger one, 3.07 km / s
- Therefore the total  $\Delta v$  need for an Edelbaum transfer is  $7.73 - 3.07 = 4.66$  km / s, so higher compared to a Hohmann transfer requiring a total  $\Delta v$  of 3.88 km / s

# What is important on $\Delta v$ ?

Objective: To understand some specific points on  $\Delta v$

- Hohmann transfer versus spiral orbit raising
  - Hohmann transfer is much faster
  - Hohmann transfer requires high thrust
  - $\Delta v$  increase is higher for spiral orbit raising



# What is important on $\Delta v$ ?

Objective: To understand some specific points on  $\Delta v$

- $\Delta v$  is not only resulting from space propulsion systems
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# What is important on $\Delta v$ ?

Objective: To understand some specific points on  $\Delta v$

- $\Delta v$  is not equal to velocity change
- $\Delta v$  and actual velocity depend on the orbit like for LEO ( $h = 420$  km,  $v = 7.66$  km/s)
- Assuming continuous thrust in the direction of acceleration
- Altitude will increase, but “velocity” will decrease in this circular orbit raise ( $h = 620$  km,  $v = 7.55$  km/s)
- Also as stated before, Energy will increase

# What is important on $\Delta v$ ?

Objective: To understand some specific points on  $\Delta v$

- Changing the energy of the spacecraft during spiral transfer in circular orbit

$$\frac{E}{m} = \frac{1}{2}v^2 - \frac{\mu}{r}$$

- Energy level # 1 for initial orbit ( $h = 420$  km,  $v = 7.66$  km/s)

$$\frac{E}{m} = \frac{1}{2}7.66^2 - \frac{\mu}{6.800} = -29.3 \frac{MJ}{kg}$$

# What is important on $\Delta v$ ?

Objective: To understand some specific points on  $\Delta v$

- Energy level # 2 for final orbit raise ( $h = 620$  km,  $v = 7.55$  km/s)

$$\frac{E}{m} = \frac{1}{2} 7.55^2 - \frac{\mu}{7.000} = -28.4 \frac{MJ}{kg}$$

- Example: Hohmann transfer / Edelbaum transfer from Low Earth Orbit to Geostationary Earth Orbit compared to escape orbit
- $\Delta v$  required for an escape orbit is  $10.93 - 7.73 = 3.20$  km / s

# What is important on $\Delta v$ ?

Objective: To understand some specific points on  $\Delta v$

- Applying a  $\Delta v$  at LEO of only 0.78 km / s more (3.20 – 2.42) would give the rocket the escape velocity, which is less than the  $\Delta v$  of 1.46 km / s required to circularize the geosynchronous orbit
- This illustrates the Oberth effect, that at large speeds the same  $\Delta v$  provides more specific orbital energy, and energy increase is maximized if one spends the  $\Delta v$  as quickly as possible, rather than spending some, being decelerated by gravity, and then spending some more to overcome the deceleration

# What is important on $\Delta v$ ?

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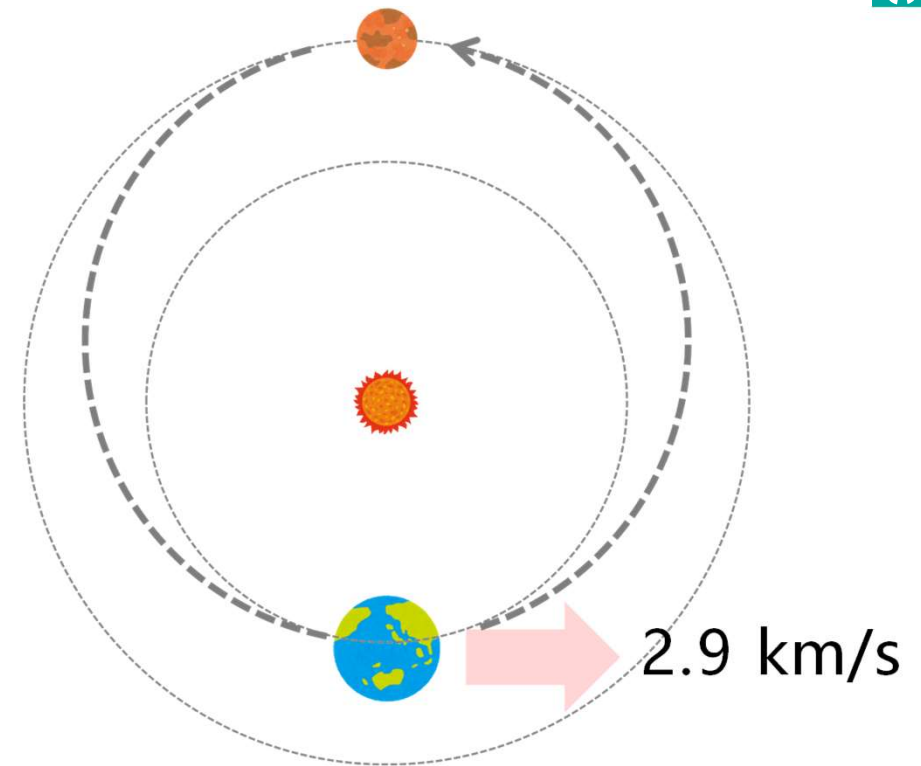
Objective: To understand some specific points on  $\Delta v$

- $\Delta v$  is the same for deceleration and acceleration
- $\Delta v$  is the same going from LEO to GEO or from GEO to LEO
- One transfer is only supported by acceleration whereas the other one is referring to deceleration

# What is important on $\Delta v$ ?

Objective: To understand some specific points on  $\Delta v$

- $\Delta v$  is the same for deceleration and acceleration
- One can reach Mars by escaping the Earth with  $\Delta v$  of + 2.9 km / s

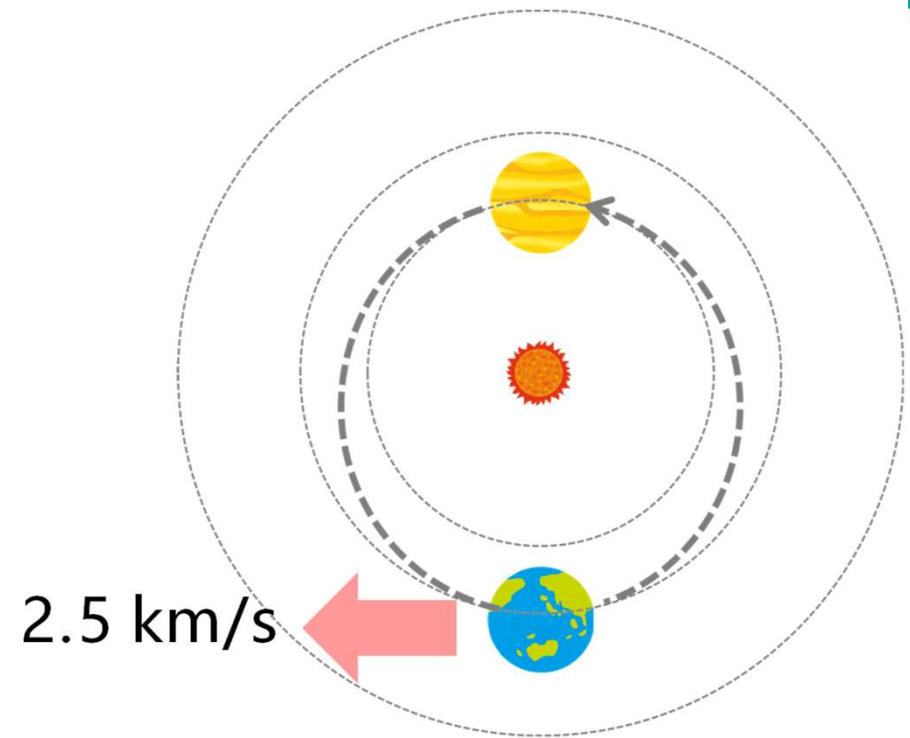


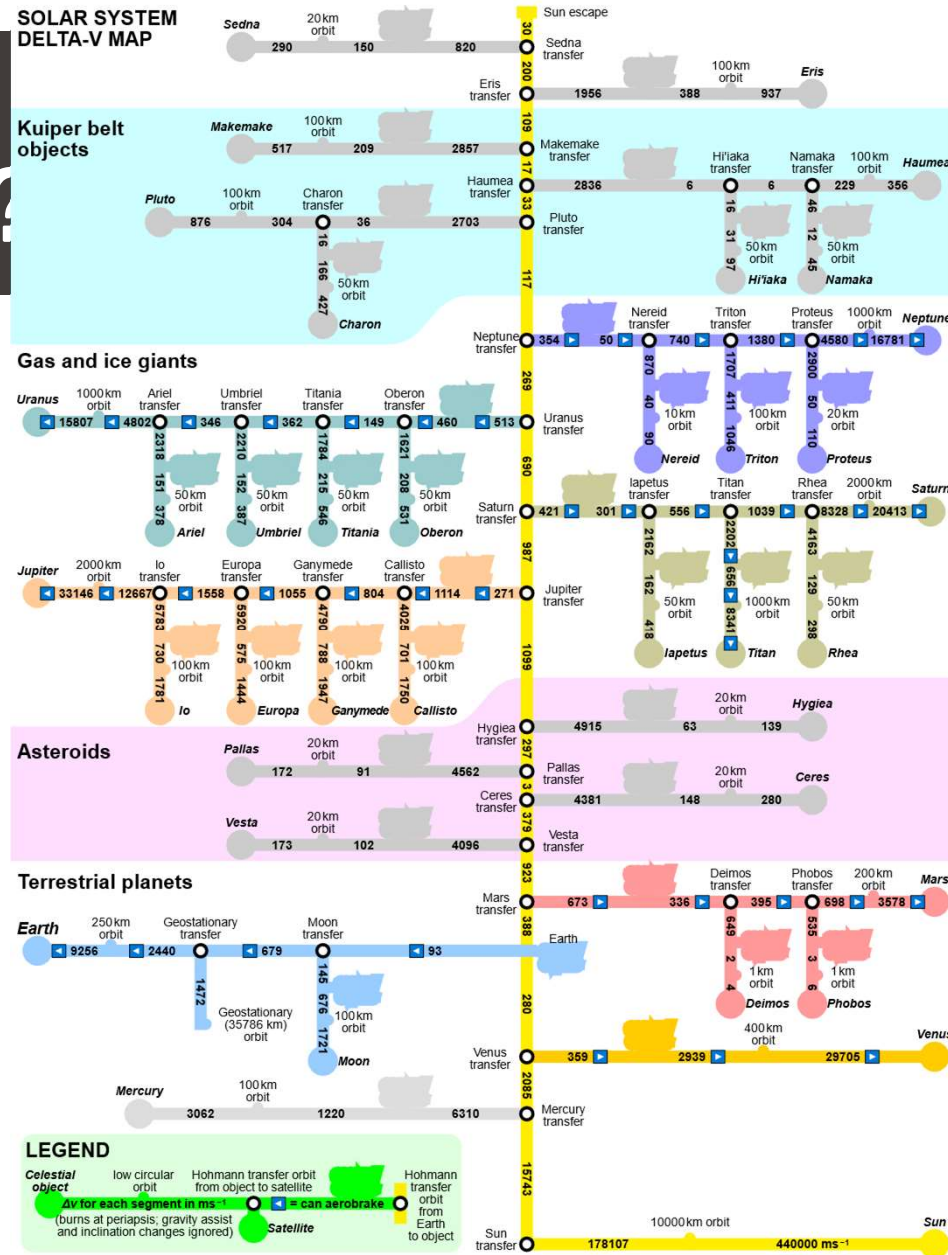


# What is important on $\Delta v$ ?

Objective: To understand some specific points on  $\Delta v$

- One can reach Venus by escaping the Earth with  $\Delta v$  of - 2.5 km / s as a deceleration maneuver
- Deceleration is not easy at all, but completely same effort is needed as for acceleration (while traveling on the Earth we do have already a certain velocity...)





# What is important on $\Delta v$ ?

Objective: To understand some specific points on  $\Delta v$

- $\Delta v$  is key parameter for understanding of space journeys, but
- $\Delta v$  is not the only parameter...

# What is the importance of thrust?

Objective: To discuss thrust + relation to  $I_{sp}$

- How thrust is produced?
- How efficiently thrust can be produced?
- How thrust and thrust efficiency affect the vehicle mass in terms of:
  - Propellant mass?
  - Inert mass required to hold the propellant and provide the thrust?
- Some key topics related to thrust:
  - Launcher versus Satellite propulsion
  - Thrust level on ground
  - Minimization of propellant mass and therefore maximizing of  $c$  (efficiency)

# What is the importance of thrust?

Objective: To discuss thrust + relation to  $I_{sp}$

- Thrust equation

$$F_m = \frac{dP_{mom}}{dt} = \frac{dm}{dt} v_e = \dot{m} v_e$$

$F_m$ ...Momentum thrust magnitude [N]

$\dot{m}$  ...Mass flow rate of the propellant [kg/s]

$v_e$ ...Exhaust velocity [m/s]

# What is the importance of thrust?

Objective: To discuss thrust + relation to  $I_{sp}$

- Thrust equation linked to pressure

$$F_p = \lambda(\dot{m}v_e + (p_e - p_a)A_e)$$

$F_p$ ...Pressure thrust magnitude [N]

$p_e$ ...Nozzle exit pressure [N/m<sup>2</sup>]

$p_a$ ...Ambient pressure [N/m<sup>2</sup>]

$A_e$ ...Nozzle exit cross-sectional area [m<sup>2</sup>]

$\lambda$ ...Nozzle efficiency [-] (typical range between 0.85 – 0.98)

# What is the importance of thrust?

Objective: To discuss thrust + relation to  $I_{sp}$

- Relation thrust to specific impulse

$$I_{sp} = \frac{F}{\dot{m}g_0}$$

$I_{sp}$  ... Specific impulse [s]

$F$  ... Thrust magnitude [N]

$\dot{m}$  ... Mass flow rate of the propellant [kg/s]

$g_0$  ... Earth gravitational acceleration [m/s<sup>2</sup>] (9.807 m/s<sup>2</sup>)

# What is the importance of thrust?

Objective: To discuss thrust + relation to  $I_{sp}$

- Effective exhaust velocity

$$c = v_e + \frac{(p_e - p_a)A_e}{\dot{m}}$$

$c$ ...Effective exhaust velocity [m/s]

$$F_m = \dot{m}c$$

$$c = I_{sp}g_0$$



# What is the importance of thrust?

Objective: To discuss thrust + relation to  $I_{sp}$

- Needed propellant mass

$$m_{prop} = \frac{m_{PL} \left( e^{\left( \frac{\Delta v}{I_{sp} g_0} \right)} - 1 \right) (1 - f_{inert})}{1 - f_{inert} e^{\left( \frac{\Delta v}{I_{sp} g_0} \right)}}$$

Notice that this equation gives a fundamental limit on vehicle performance. If the denominator is less than or equal to zero, it is impossible to build the vehicle as designed

# What is the importance of thrust?

Objective: To discuss thrust + relation to  $I_{sp}$

- Inert mass fraction

$$f_{inert} = \frac{m_{inert}}{m_{prop} + m_{inert}}$$

$f_{inert}$ ...Inert mass fraction [-] (typical range 0.08 to 0.7)

$m_{inert}$ ...Inert mass excluding P/L mass and propellant mass [kg]

$m_{prop}$ ...Propellant mass [kg]

- Inert mass fraction is a performance parameter showing how well the structure is engineered. A small number indicates a high-performance structure whereas a higher number indicates lower performance

# What is the importance of thrust?

Objective: To discuss thrust + relation to  $I_{sp}$

- Mission feasibility limit related to specific impulse

$$I_{sp} \geq \frac{\Delta v}{\ln\left(\frac{1}{f_{inert}}\right) g_0}$$

Notice that this equation states that for a given mission ( $\Delta v$ ) and a given technology ( $f_{inert}$ ) the specific impulse must be above a certain value for the system to work

# What is the importance of thrust?

Objective: To discuss thrust + relation to  $I_{sp}$

- Total impulse

$$I = \int_0^{t_b} F dt$$

For a system with constant thrust magnitude it follows

$$I = F t_b$$

Total impulse and  $\Delta v$  are related to each other

$$I_{sp} = \frac{I}{m_{prop} g_0}$$

# What is the importance of thrust?

Objective: To discuss thrust + relation to  $I_{sp}$

- Thrust-to-Weight ratio

$$\frac{F}{W} = \frac{F}{mg_0}$$

$F/W$ ...Thrust-to-weight ratio [-]

- Launch vehicles must have an initial thrust-to-weight ratio greater than 1.0 or the vehicle cannot get off the ground
- Thrust-to-weight ratios for upper stage engines can range from  $10^{-4}$  for electric systems to 0 for solid rockets at burn-out

# What is the importance of thrust?

Engine	Launcher	Propellant	Exhaust Velocity	Thrust
F1	Saturn V	LOx / RP-1	3.0 km / s	7.7 MN
RD-107	Soyuz	LOx / RP-1	3.1 km / s	1.0 MN
RD-264	Dnepr	NTO / UDMH	3.2 km / s	4.5 MN
SSME	Shuttle	LOx / LH2	4.5 km / s	2.2 MN
LE7A	H2A	LOx / LH2	4.3 km / s	1.1 MN
Vulcain 2	Ariane 5	LOx / LH2	4.3 km / s	1.3 MN
SSRB	Shuttle	Composite	2.7 km / s	13.8 MN
SRB-A	H2A	Composite	2.8 km / s	2.3 MN
M-V-1	M-V	Composite	2.8 km / s	2.4 MN

# Which general Performance Equations are given?

Objective: To analyze propulsion systems performance

- Key equations are given in this section for launcher performance analysis

# Which general Performance Equations are given?

Objective: To analyze propulsion systems performance

- Example: Assume an exhaust velocity of 4500 meters per second and a delta v target of 9700 meters per second (corresponding to the needed delta v for a Low Earth Orbit (LEO) including delta v need to overcome gravitational and drag forces) for a single-stage-to-orbit

$$e^{\frac{9.7}{4.5}} = 8,6 \Rightarrow MR = \frac{m_w}{m_d} = \frac{m_d + m_p}{m_d} = 8,6 \Rightarrow \frac{m_p}{m_d} = 0,884$$

So 88.4 % is the required mass fraction, i.e. 88.4 % of the initial mass must be propellant. The remaining 11.6 % is dry mass, which could be difficult to achieve without special measures (e.g. staging of launchers)



# Which general Performance Equations are given?

Objective: To analyze propulsion systems performance

- First part is linked to launcher staging
- A multistage rocket or step rocket is a launch vehicle that uses two or more rocket stages, each of which contains its own engines and propellant
- A tandem or serial stage is mounted on top of another stage; a parallel stage is attached alongside another stage
- The result is effectively two or more rockets stacked on top of or attached next to each other

# Which general Performance Equations are given?

Objective: To analyze propulsion systems performance

- Two-stage rockets are quite common, but rockets with as many as five separate stages have been successfully launched
- By jettisoning stages when they run out of propellant, the mass of the remaining rocket is decreased
- Each successive stage can also be optimized for its specific operating conditions, such as decreased atmospheric pressure at higher altitudes
- Staging allows the thrust of the remaining stages to more easily accelerate the rocket to its final orbit

# Which general Performance Equations are given?

Objective: To analyze propulsion systems performance

- For multistage rockets standard performance equations are still valid
- Basic rocket equation (Tsiolkovsky rocket equation)

$$\Delta v = v_e \ln \frac{m_0}{m_1}$$

- Exhaust velocity is often referred to as specific impulse

$$I_{sp} = \frac{v_e}{g_0}$$

# Which general Performance Equations are given?

Objective: To analyze propulsion systems performance

- Thrust equation

$$F_m = \dot{m} v_e$$

- On top of the classical performance equations, dimensionless ratio are interesting in order to optimize launcher staging
- Initial to final mass ratio

$$\eta = \frac{m_d + m_p + m_{PL}}{m_d + m_{PL}}$$

# Which general Performance Equations are given?

Objective: To analyze propulsion systems performance

- Structural ratio, which is the ratio between the empty mass of the stage, and the combined empty mass and propellant mass

$$\varepsilon = \frac{m_d}{m_d + m_p}$$

- Payload ratio, which is the ratio between the payload mass and the combined mass of the empty rocket stage and the propellant mass

$$\lambda = \frac{m_{PL}}{m_d + m_p}$$

# Which general Performance Equations are given?

Objective: To analyze propulsion systems performance

- After comparing the three equations for the dimensionless quantities, it is easy to see that they are not independent of each other, and in fact, the initial to final mass ratio can be rewritten in terms of structural ratio and payload ratio

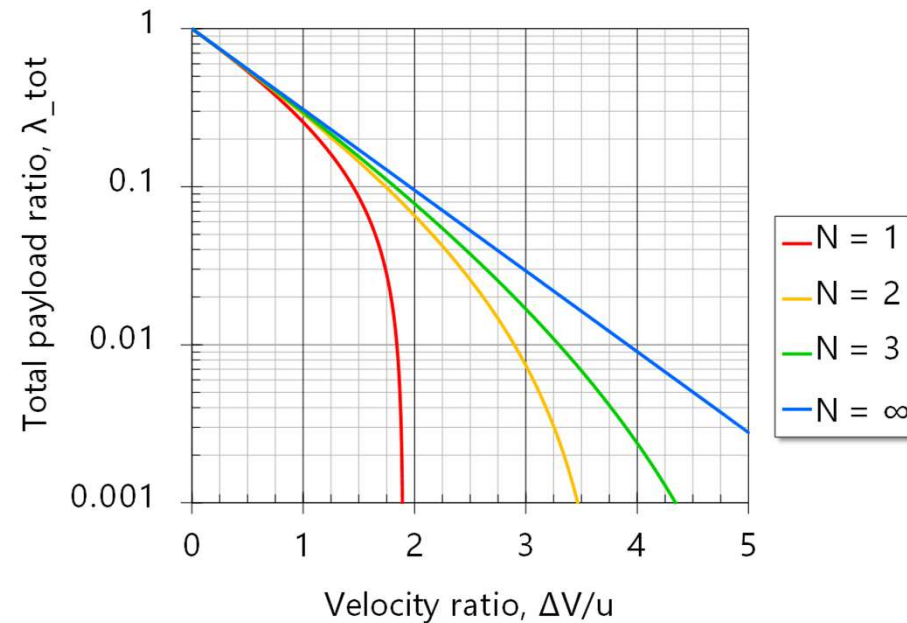
$$\eta = \frac{1 + \lambda}{\varepsilon + \lambda}$$

- The dimensionless ratio can be established for single stage launchers as well as multiple stage launchers

# Which general Performance Equations are given?

Objective: To analyze propulsion systems performance

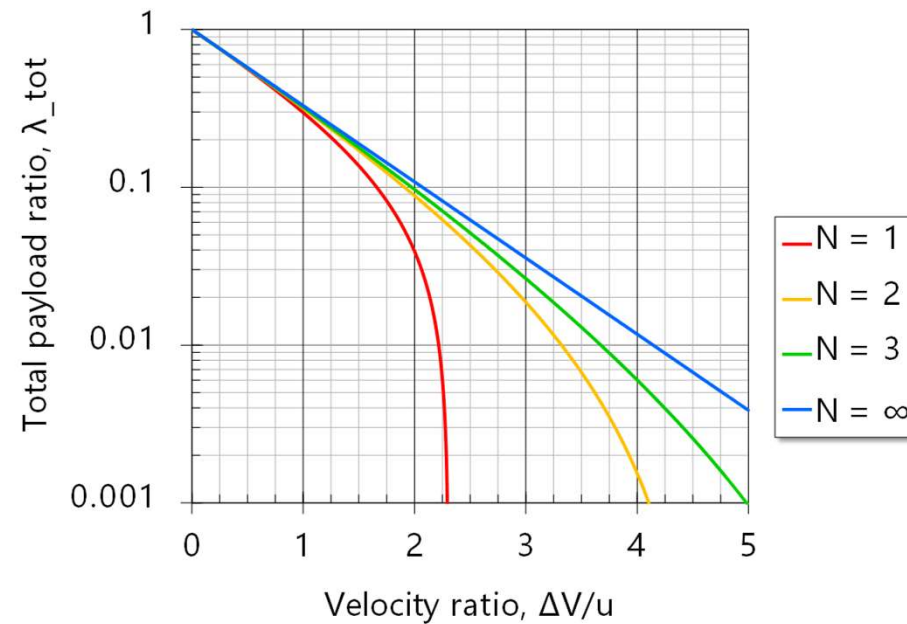
- Example: Multi-stage launcher with  $\varepsilon = 0.15$



# Which general Performance Equations are given?

Objective: To analyze propulsion systems performance

- Example: Multi-stage launcher with  $\varepsilon = 0.10$





# Which general Performance Equations are given?

Objective: To analyze propulsion systems performance

- Performance analysis for a tandem or serial stage is very simple as only one propulsion system is acting at a certain time with clear performance parameter like thrust, specific impulse
- It must only be determined when stages are jettisoned
- The result is effectively two or more rockets stacked on top of or attached next to each other
- Performance analysis for a parallel stage is more tricky

# Which general Performance Equations are given?

Objective: To analyze propulsion systems performance

- Example: H2A launch vehicle with liquid main engine LE7A with exhaust velocity of 4.31 km / s and two solid rocket booster SRB with exhaust velocity of 2.78 km / s

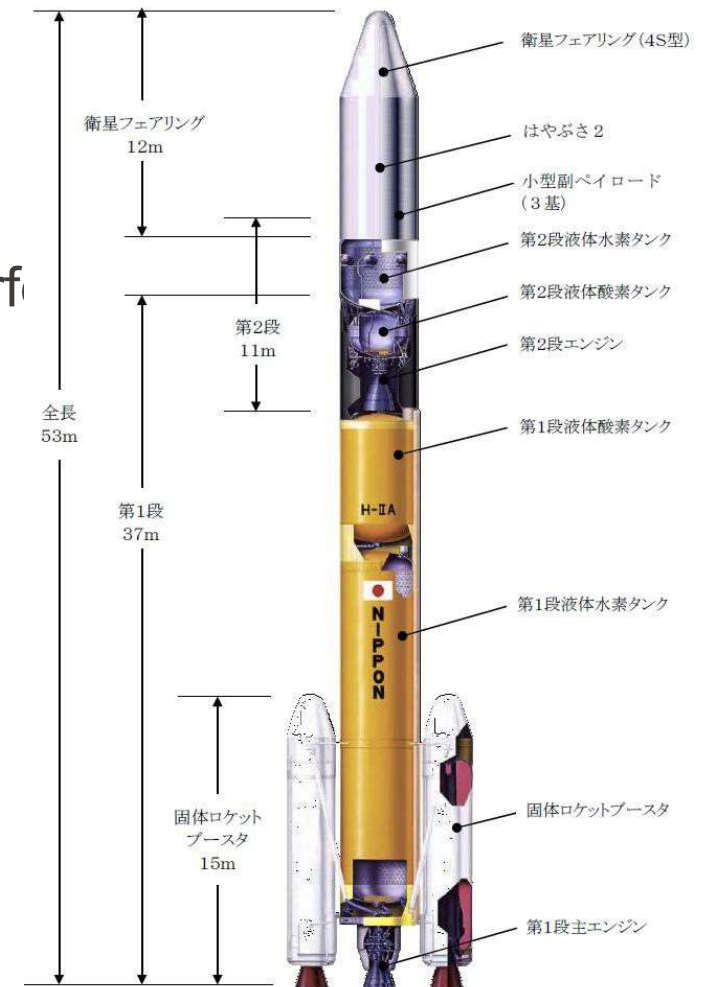


図-6 ロケットの形状 (H2A202型)

# Which general Performance Equations are given?

Objective: To analyze propulsion systems performance

- Performance of a launch vehicle using different parallel stages can be assessed by using the effective exhaust velocity
- Effective exhaust velocity

$$c = \frac{F_{tot}}{\dot{m}_{tot}}$$

with  $F_{tot}$  as sum of all thrust levels

- Example: H2A launch vehicle with one main liquid engine (1100 kN and 260 kg / s) and two solid rocket boosters (2500 kN and 900 kg / s)

# Which general Performance Equations are given?

Objective: To analyze propulsion systems performance

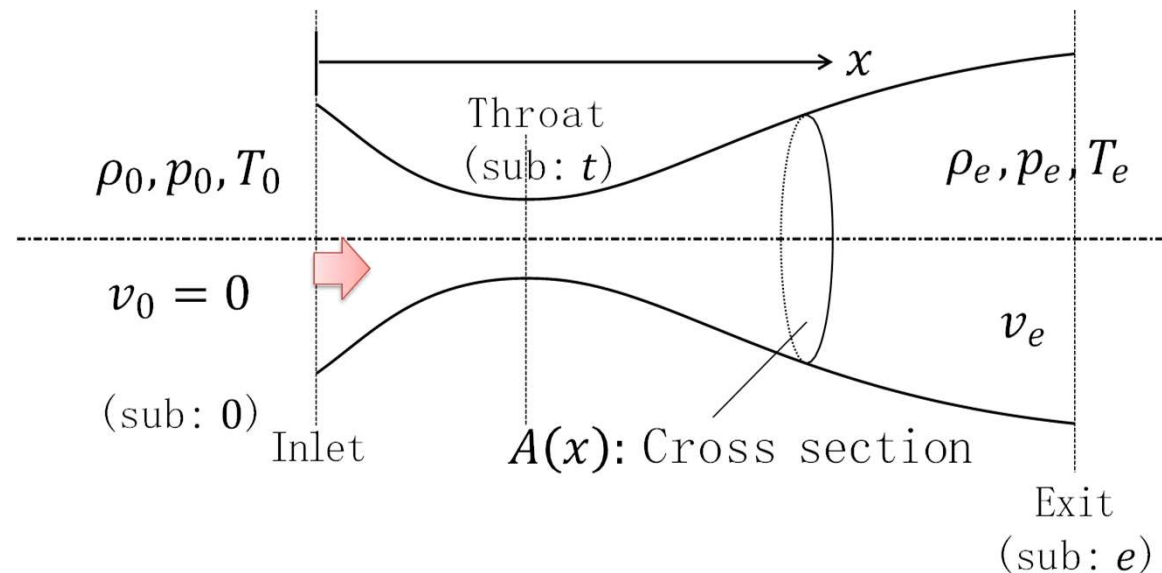
- Example: H2A launch vehicle performance
- Effective exhaust velocity

$$c = \frac{(1100 + 2500 + 2500)}{(260 + 900 + 900)} = 2.96 \frac{km}{s}$$

# Which general Performance Equations are given?

Objective: To analyze propulsion systems performance

- Second part is linked to engine / throat / nozzle performance with flow parameter  $\rho$ ...density,  $p$ ...pressure,  $T$ ...temperature and  $v$ ...velocity



# Which general Performance Equations are given?

Objective: To analyze propulsion systems performance

- Basic considerations are:
  - Steady flow: All flow variables are independent on the time
  - Quasi-1D flow: All flow variables are function of the axial coordinate
  - Adiabatic flow: No heat transfer to the flow
  - Ideal gas relation is given
  - No viscosity: No momentum loss to the wall

# Which general Performance Equations are given?

Objective: To analyze propulsion systems performance

- Recap: Thrust is linked to mass flow rate, exhaust velocity and engine nozzle parameter

$$F_p = \lambda(\dot{m}v_e + (p_e - p_a)A_e)$$

$F_p$ ...Pressure thrust magnitude [N]

$p_e$ ...Nozzle exit pressure [N/m<sup>2</sup>]

$p_a$ ...Ambient pressure [N/m<sup>2</sup>]

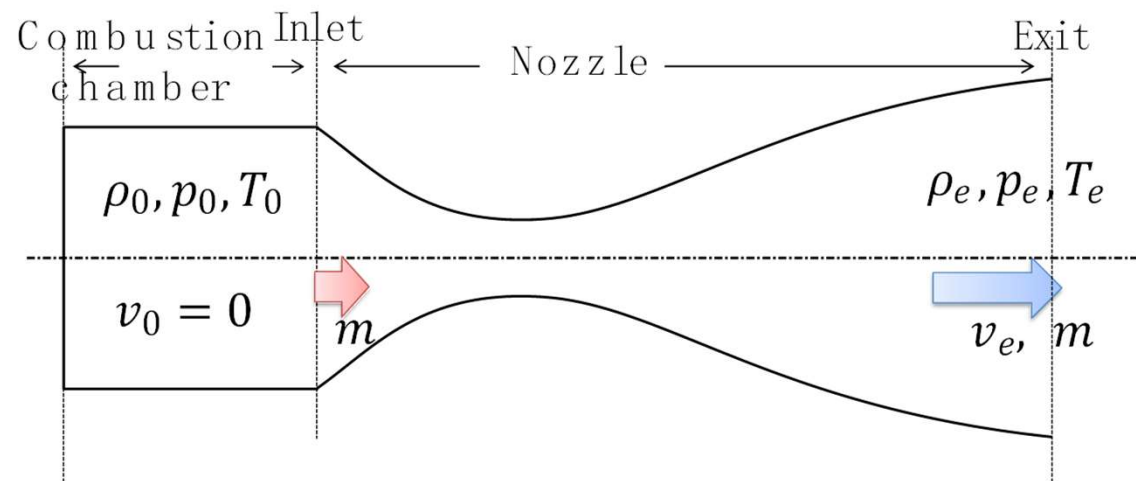
$A_e$ ...Nozzle exit cross-sectional area [m<sup>2</sup>]

$\lambda$ ...Nozzle efficiency [-] (typical range between 0.85 – 0.98)

# Which general Performance Equations are given?

Objective: To analyze propulsion systems performance

- Recap: Thrust is linked to mass flow rate, exhaust velocity and engine nozzle parameter



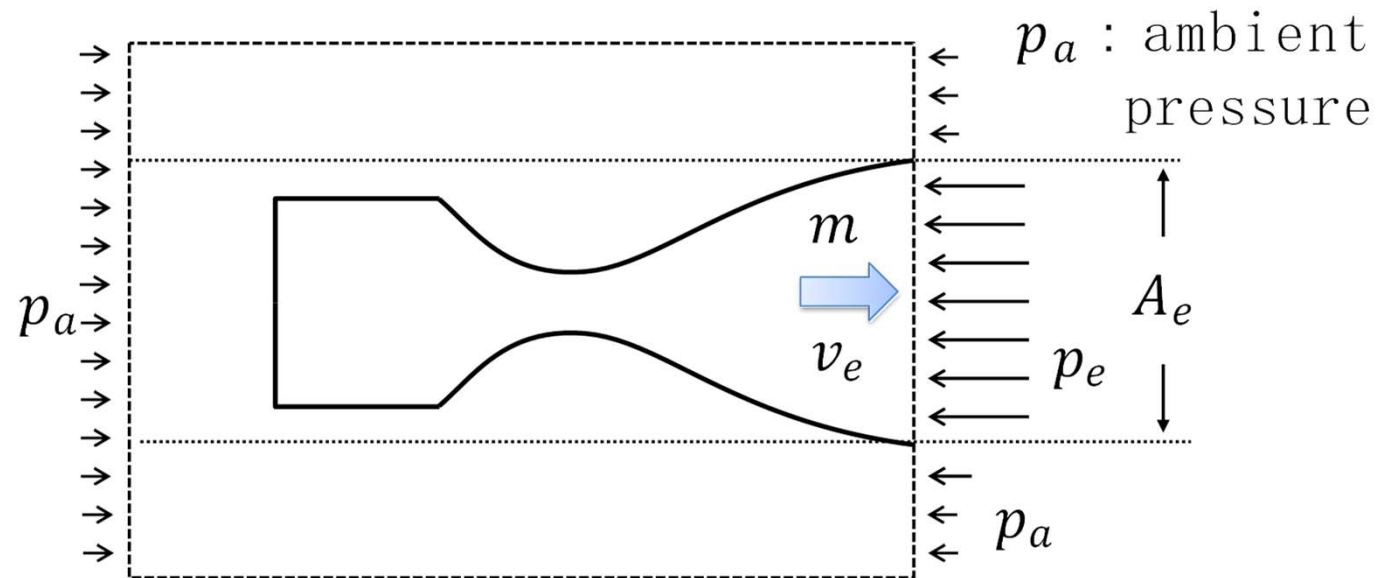
Impulse = Change of momentum



# Which general Performance Equations are given?

Objective: To analyze propulsion systems performance

- Recap: Thrust is linked to mass flow rate, exhaust velocity and engine nozzle parameter



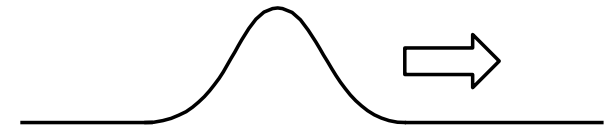
# Which general Performance Equations are given?

Objective: To analyze propulsion systems performance

- Important parameter are also speed of sound (propagation velocity of small disturbances) and the Mach number  $M$  (ratio of the flow velocity to the local speed of sound)
- Speed of sound
- Mach number

$$a = \sqrt{\gamma RT}$$

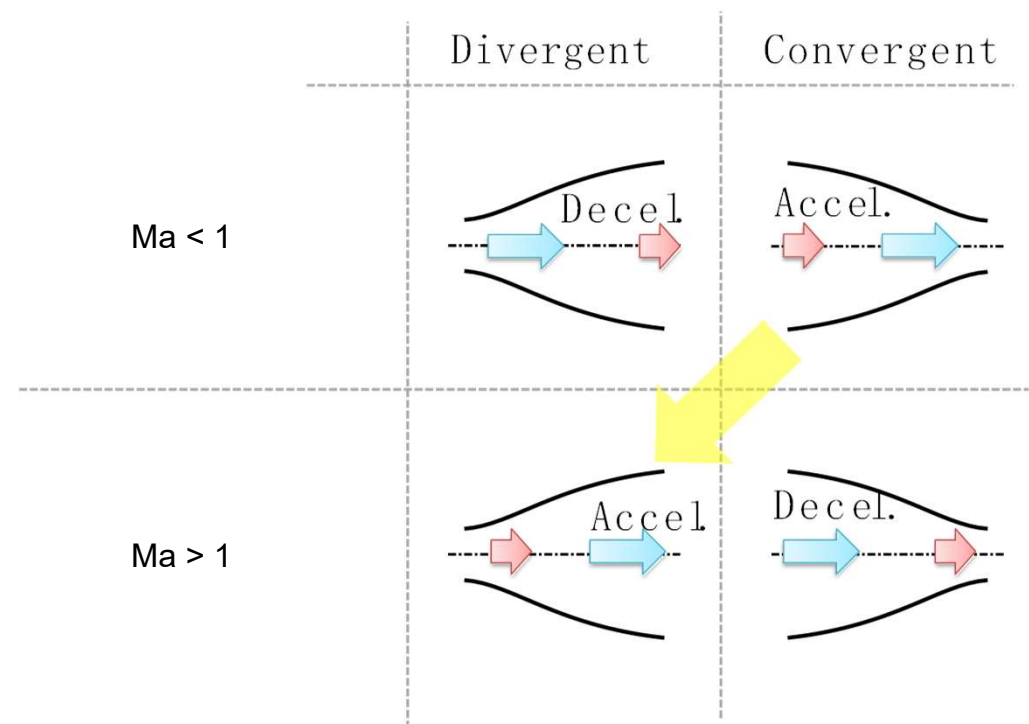
$$Ma = \frac{v}{a}$$



# Which general Performance Equations are given?

Objective: To analyze propulsion systems performance

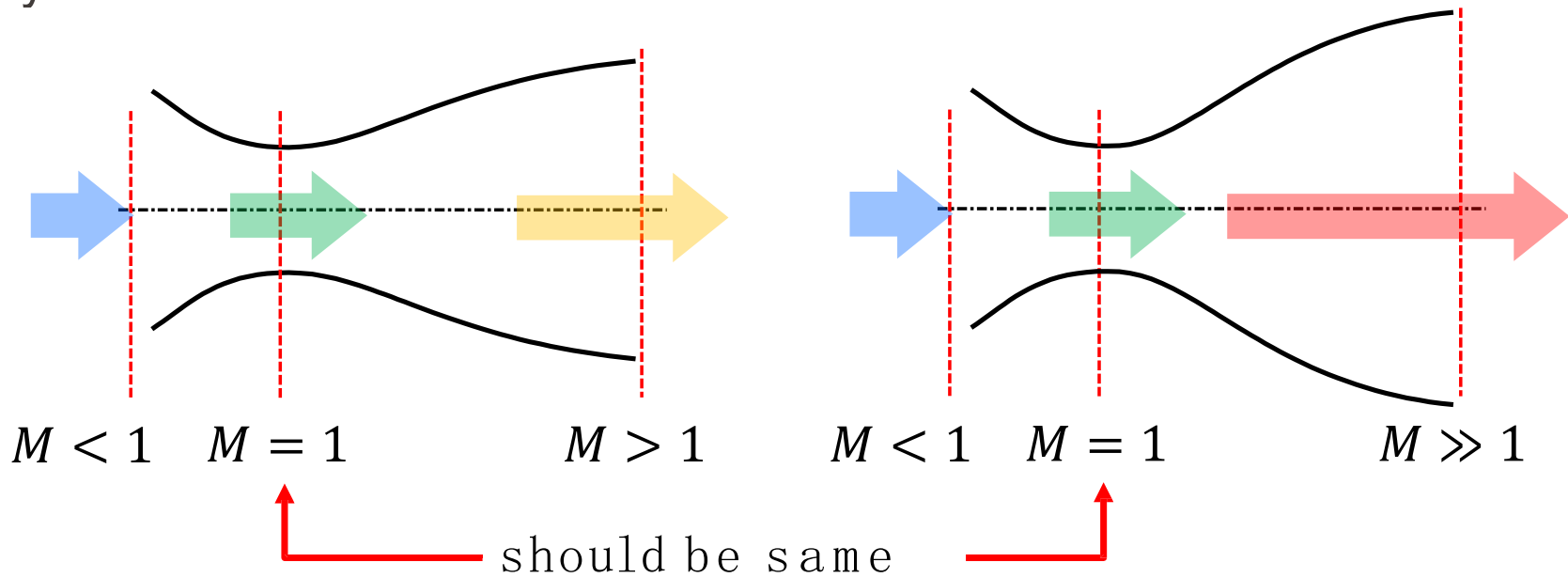
- Ma number is important in terms of flow acceleration / deceleration for different nozzle types



# Which general Performance Equations are given?

Objective: To analyze propulsion systems performance

- Once the flow reaches to  $Ma = 1$  at the throat (= choked conditions), only downstream conditions determine the flow rate



# Which general Performance Equations are given?

Objective: To analyze propulsion systems performance

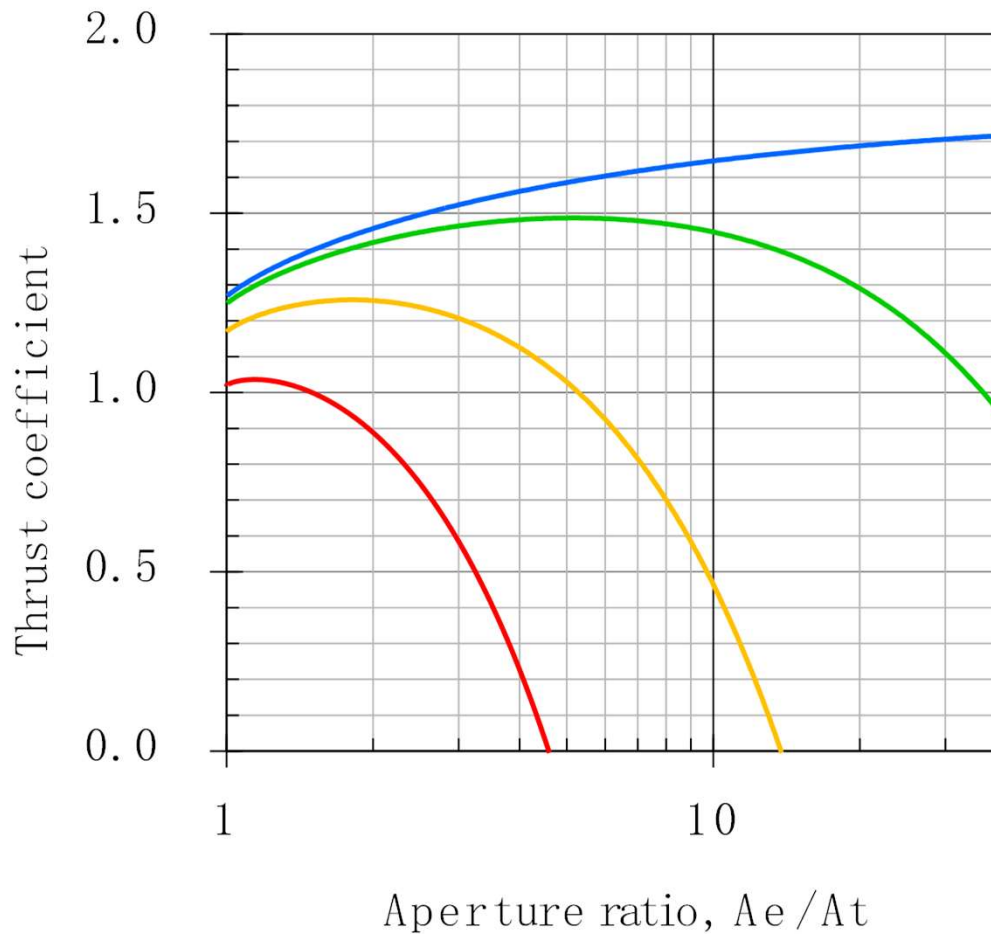
- Thrust equation using the thrust coefficient (thrust coefficient is depending on the aperture ratio and the gas type and is expressing the acceleration of the gas by the nozzle)

$$F = A_t p_c \gamma \sqrt{\left(\frac{2}{\gamma-1}\right) \left(\frac{2}{\gamma+1}\right)^{\frac{\gamma+1}{\gamma-1}} \left(1 - \left(\frac{p_e}{p_c}\right)^{\frac{\gamma-1}{\gamma}}\right)} + (p_e - p_a) A_e$$

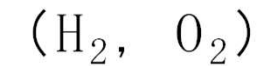
$$F = A_t p_c c_F$$

$c_F$  ... Thrust coefficient

# Which general Performance Equations are given?



$$\gamma = 1.40$$



Combustion  $P$   
/ambient  $P$

- $p_0 / p_a = 4$
- $p_0 / p_a = 10$
- $p_0 / p_a = 50$
- $p_0 / p_a = 10000$

# Which general Performance Equations are given?

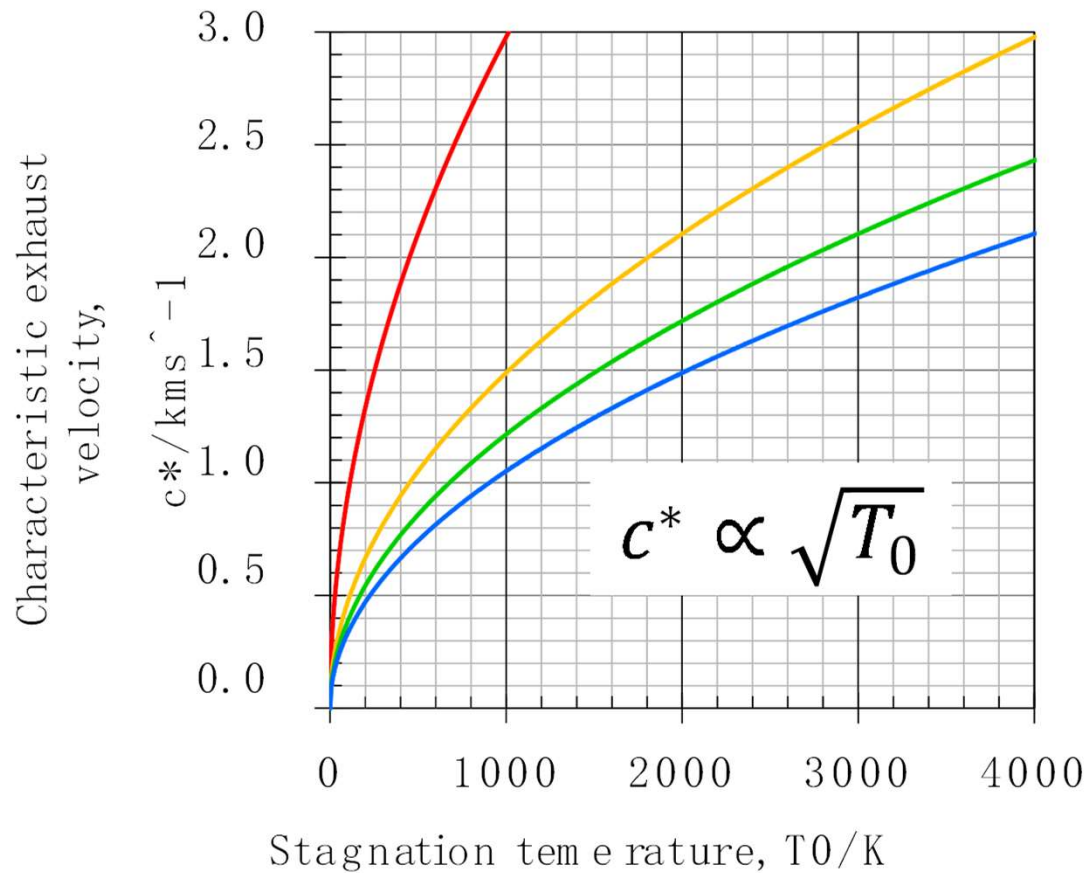
Objective: To analyze propulsion systems performance

- Final important parameter is  $c^*$  (is depending on the temperature and gas type and is expressing the performance of combustion chamber)

$$c^* = \frac{A_t p_0}{\dot{m}}$$

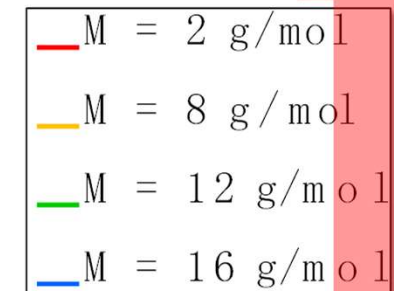
$c^*$  ... Characteristic velocity

# Which general Performance Equations are given?



$$\gamma = 1.40$$

Lighter  
molecular mass

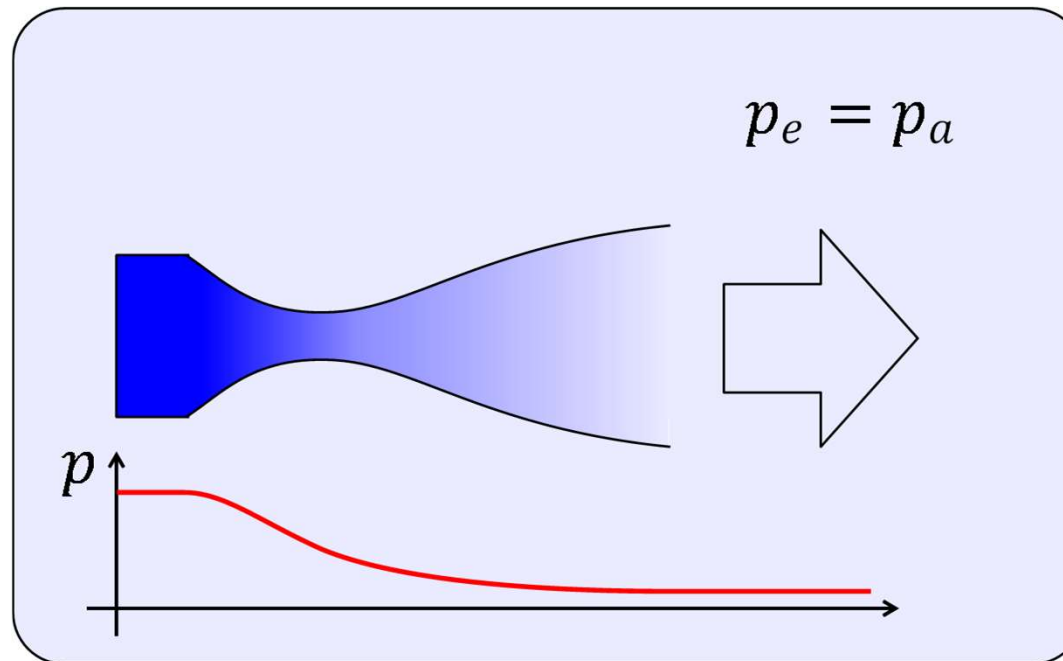




# Which general Performance Equations are given?

Objective: To analyze propulsion systems performance

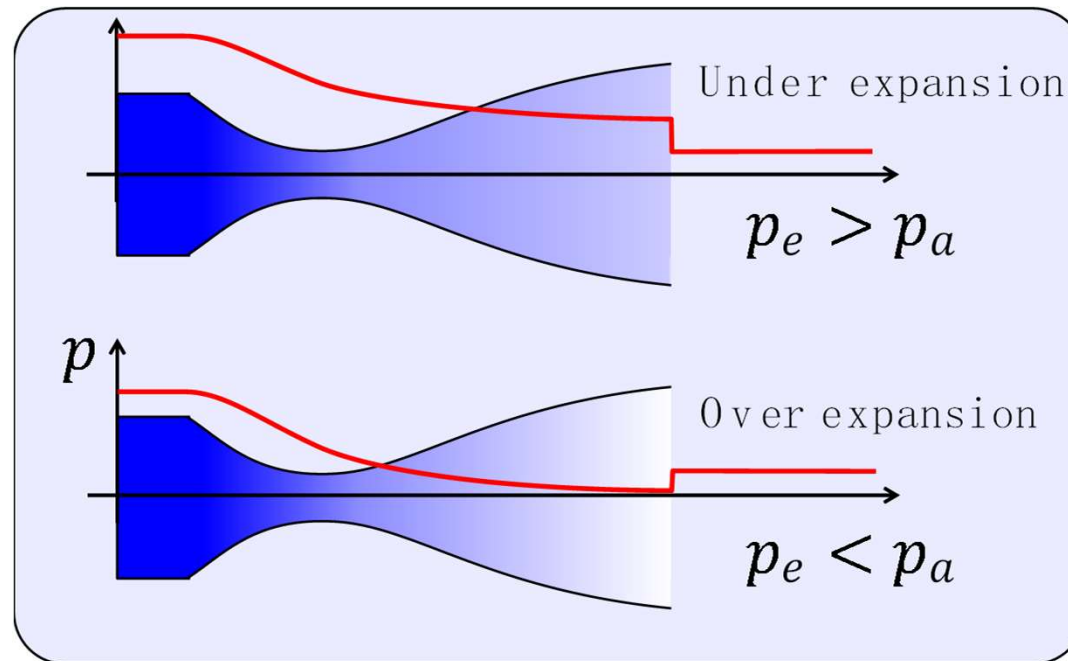
- Nozzle layout considerations



# Which general Performance Equations are given?

Objective: To analyze propulsion systems performance

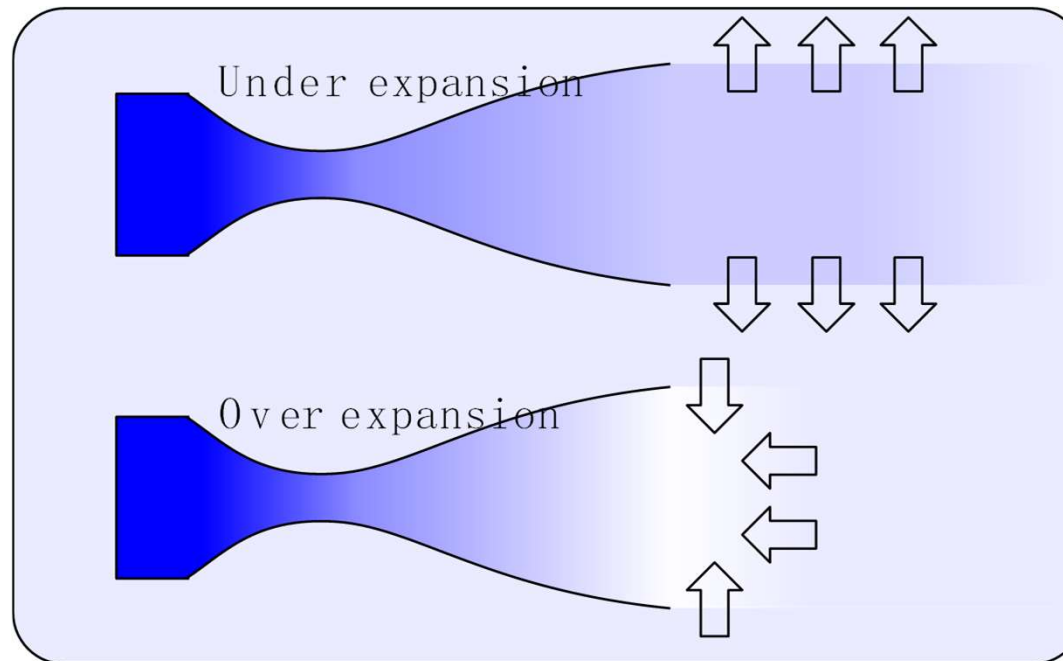
- Nozzle layout considerations



# Which general Performance Equations are given?

Objective: To analyze propulsion systems performance

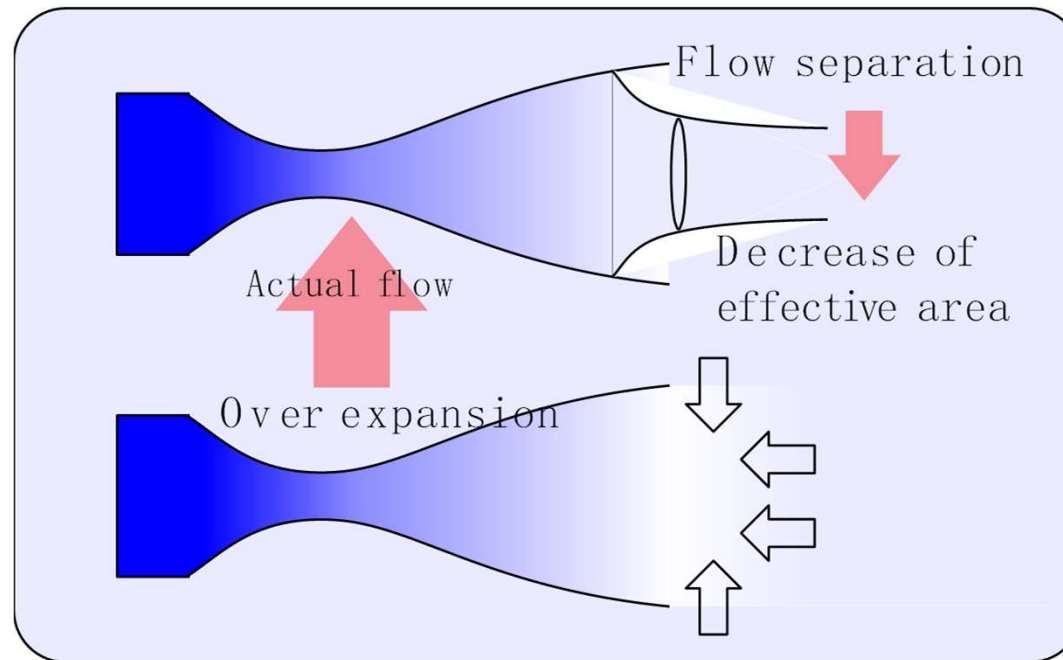
- Nozzle layout considerations



# Which general Performance Equations are given?

Objective: To analyze propulsion systems performance

- Nozzle layout considerations



# Which general Performance Equations are given?

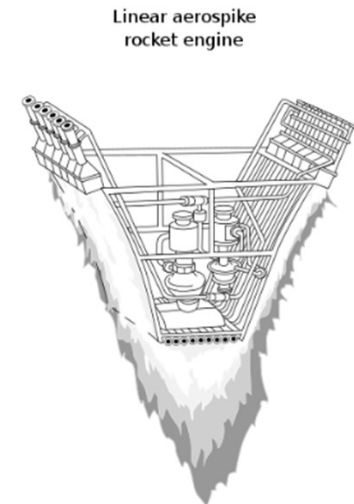
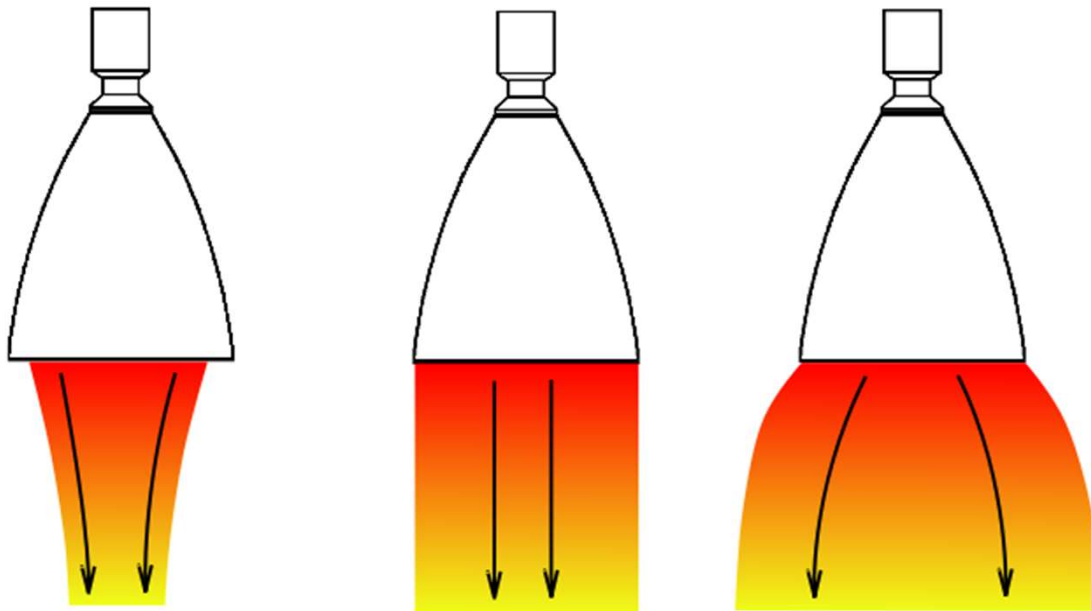
Objective: To analyze propulsion systems performance

- Test as you fly and fly as you test...
- Example: Sea-level testing of large engines instead of altitude (vacuum) testing

# Which general Performance Equations are given?

Objective: To analyze propulsion systems performance

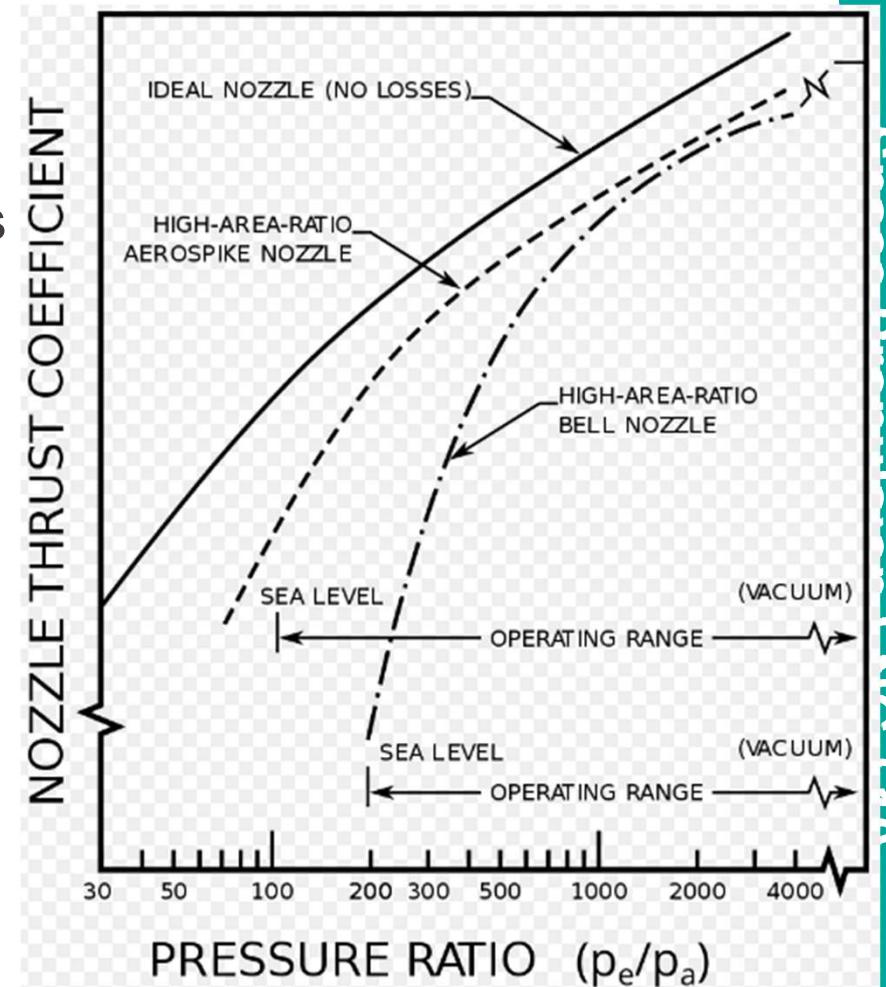
- Bell-shaped nozzle extensions compared to aerospike engines



# Which general Performance Equations are given?

Objective: To analyze propulsion systems

- Aerospike engines allow:
  - Optimal performance over wider external pressure range (wider altitude range)
  - Spike and surrounding air flow form a virtual bell
- Aerospike engines lead:
  - Increased thermal loads on spike

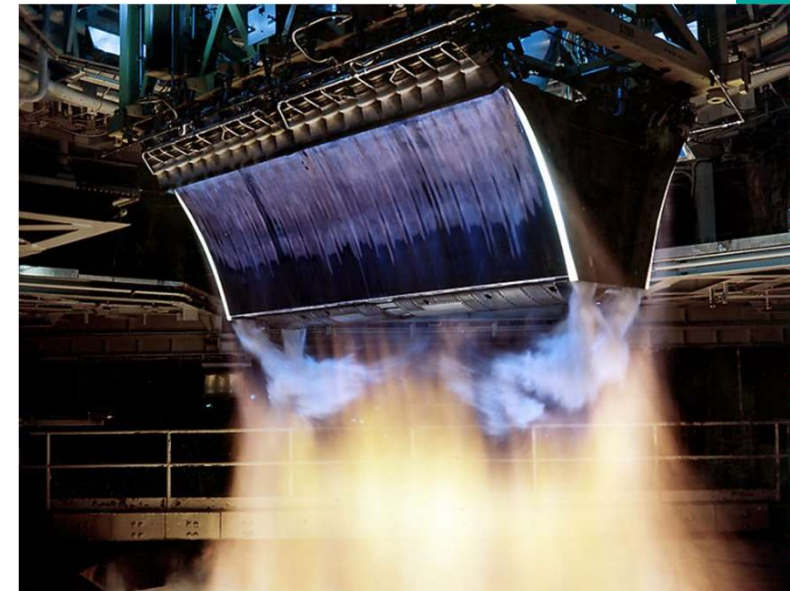
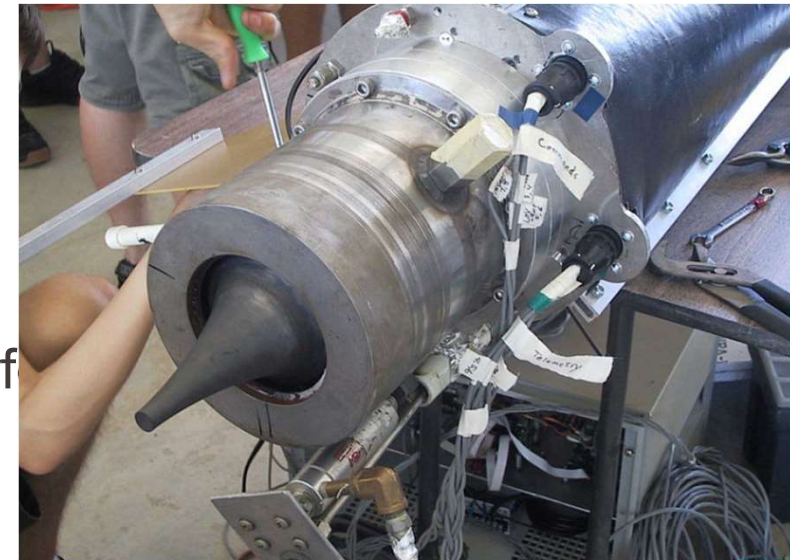




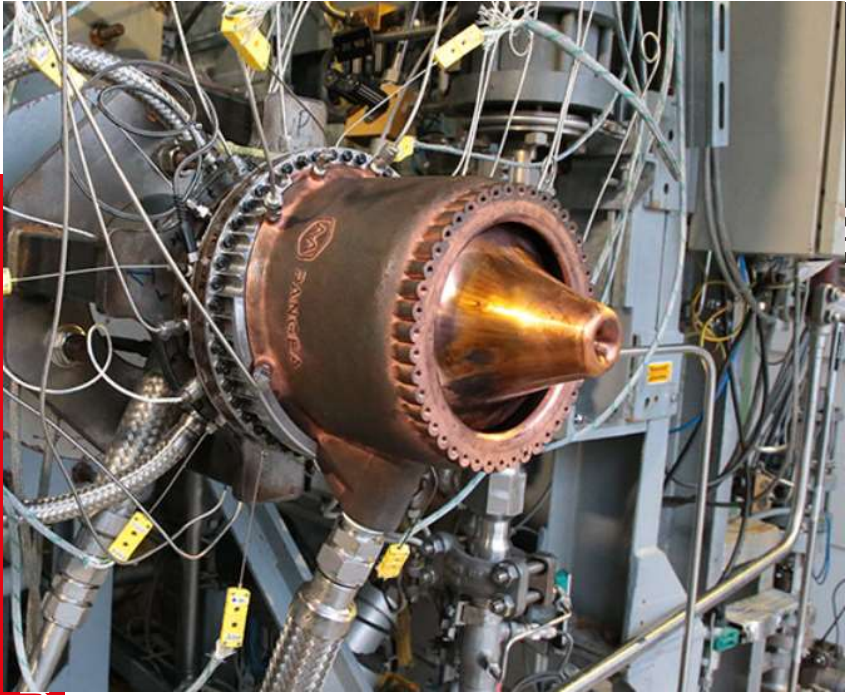
# Which general Performance Equations are given?

Objective: To analyze propulsion systems performance

- Aerospike engines exist as:
  - Toroidal aerospike
  - Linear aerospike
- But no commercial application is given today







EPFL Space  
Center



# Which Propulsion Systems do we know?

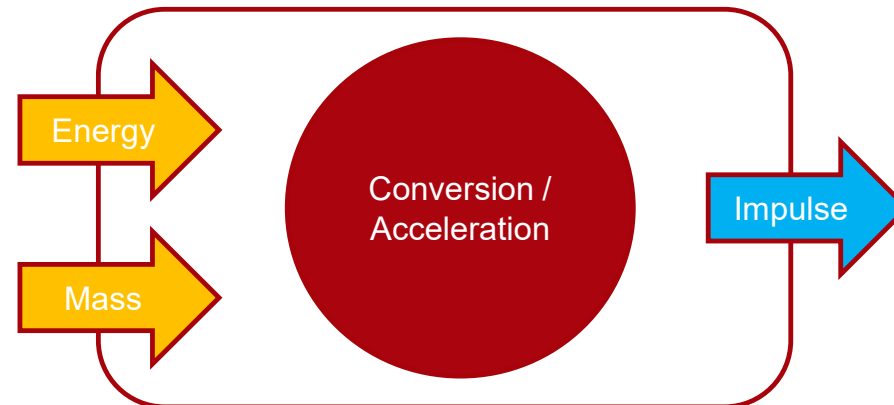
Objective: To categorize different space propulsion systems

- Space propulsion / in-space propulsion / towards space propulsion - Everything that accelerates a vehicle (launcher, rocket, satellite, orbital vehicle) by ejection of material

# Which Propulsion Systems do we know?

Objective: To categorize different space propulsion systems

- Energy and Propellant:
  - Energy is needed to throw out the propellant / mass to get the push
  - Some energy must be converted to kinetic energy
- A propulsion system is an energy converter / accelerator



# Which Propulsion Systems do we know?

Objective: To categorize different space propulsion systems

- Useable Energy:
  - Nuclear fusion
  - Nuclear fission
  - Chemical reaction
  - Pressure release
  - Electrical battery
  - Solar power
  - Muscle power
  - Mechanical acceleration
  - Others...

# Which Propulsion Systems do we know?

Objective: To categorize different space propulsion systems

- Transferring into space propulsion systems:
  - Nuclear fusion -> Not existing today
  - Nuclear fission -> Nuclear reactor is coming back again
  - Chemical reaction -> In use
  - Pressure release -> In use
  - Electrical battery -> In use
  - Solar power -> In use
  - Muscle power -> Not sufficient
  - Mechanical acceleration -> Under investigation (centrifuge)
  - Others... -> To be discussed

# Which Propulsion Systems do we know?

Objective: To categorize different space propulsion systems

- Energy type and propulsion systems:
  - Nuclear fusion -> Not applicable
  - Nuclear fission -> Nuclear thermal propulsion and nuclear electric propulsion
  - Chemical reaction -> Chemical propulsion
  - Pressure release -> Pneumatic propulsion
  - Electrical battery -> Electric propulsion
  - Solar power -> Solar (radiant) electric propulsion
  - Muscle power
  - Mechanical acceleration -> Mechanical propulsion
  - Others... -> To be discussed

# Which Propulsion Systems do we know?

Objective: To categorize different space propulsion systems

- Propulsion System categorization linked to energy conversion type:
  - Thermal Propulsion Systems (e.g. cold gas systems but also including electrothermal + solar thermal + nuclear thermal propulsion)
  - Chemical (Combustion) Propulsion Systems
  - Electrical Propulsion Systems (including nuclear electric propulsion)
  - Mechanical Propulsion Systems (e.g. gun, centrifuge, ...)
  - Others...like radiant energy / solar wind / lasers

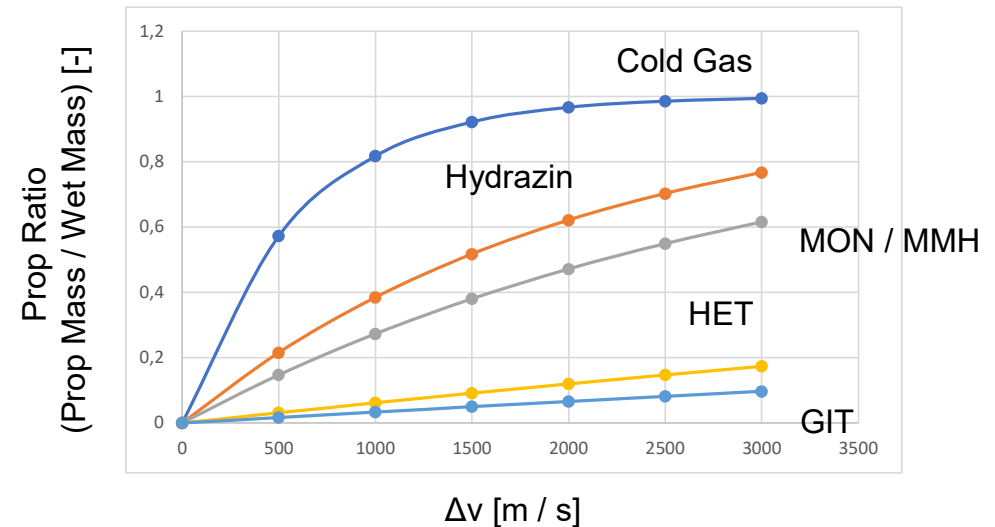
# Which Propulsion Systems do we know?

Objective: To categorize different space propulsion systems

- Comparison of different Propulsion Systems:

- Thermal Propulsion Systems
- Chemical (Combustion) Propulsion Systems
- Electrical Propulsion Systems
- Mechanical Propulsion Systems
- Others...

Possible Performance as Function of Propulsion Technology

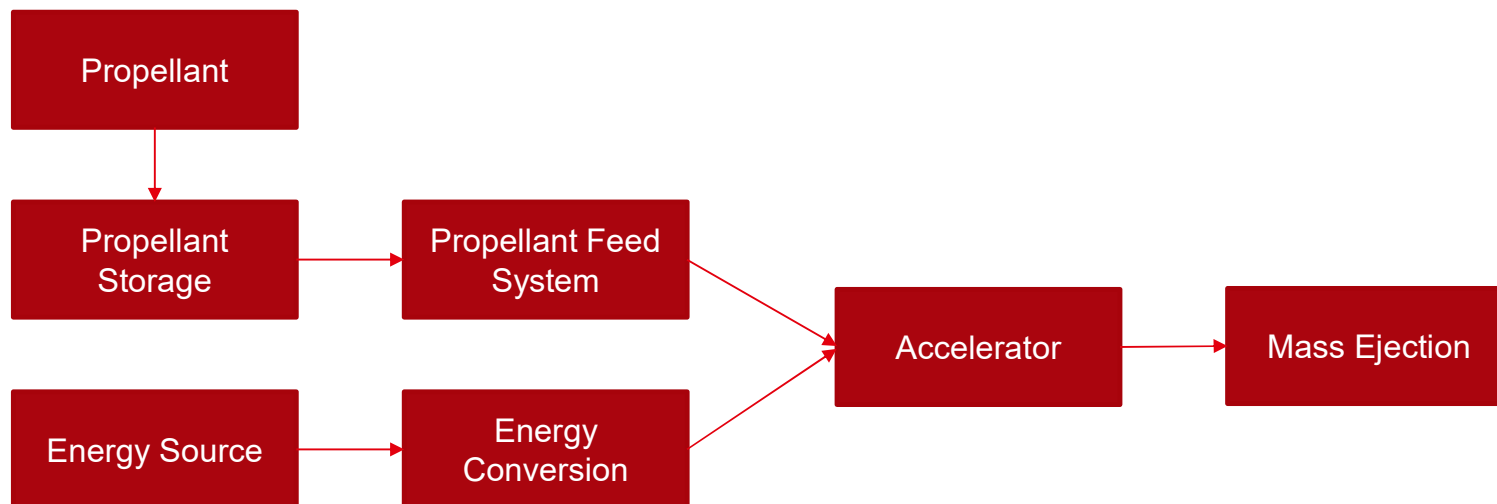




# Which Propulsion Systems do we know?

Objective: To categorize different space propulsion systems

- Generic block diagram for propulsion systems:



# Which Thermal Propulsion Systems exist?

Objective: To develop the basics of thermal propulsion

- Thermal Propulsion Systems
  - Cold gas propulsion systems
  - Cold gas / liquid propulsion systems (e.g. Water rocket...)
  - Solid powder / cold gas propulsion systems
  - Cryogenic boil-off propulsion systems
  - Liquefied gas propulsion systems
  - **Electrothermal propulsion systems**
  - **Solar thermal propulsion systems**
  - **Nuclear thermal propulsion systems**

# Which Thermal Propulsion Systems exist?

Objective: To develop the basics of thermal propulsion

- Thermal Propulsion Systems – Group 1
  - Cold gas propulsion systems
  - Cold gas / liquid propulsion systems (e.g. Water rocket...)
  - Solid powder / cold gas propulsion systems
  - Cryogenic boil-off propulsion systems
  - Liquefied gas propulsion systems

# Which Thermal Propulsion Systems exist?

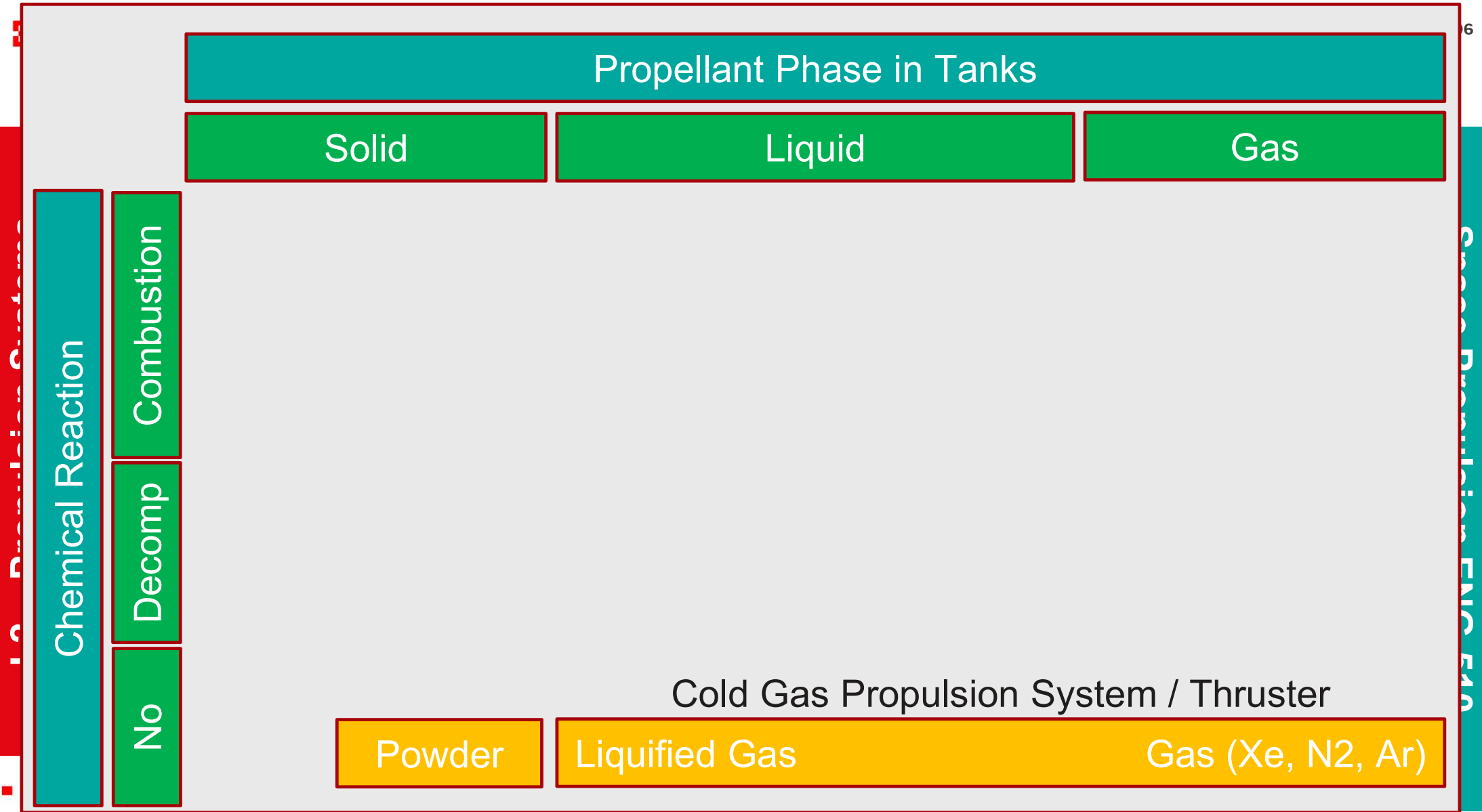
Objective: To develop the basics of thermal propulsion

- Thermal Propulsion Systems – Group 2
  - Electrothermal propulsion systems
- Thermal Propulsion Systems – Group 3
  - Solar thermal propulsion systems
  - Nuclear thermal propulsion systems

# Which Thermal Propulsion Systems exist?

Objective: To develop the basics of thermal propulsion – Group 1

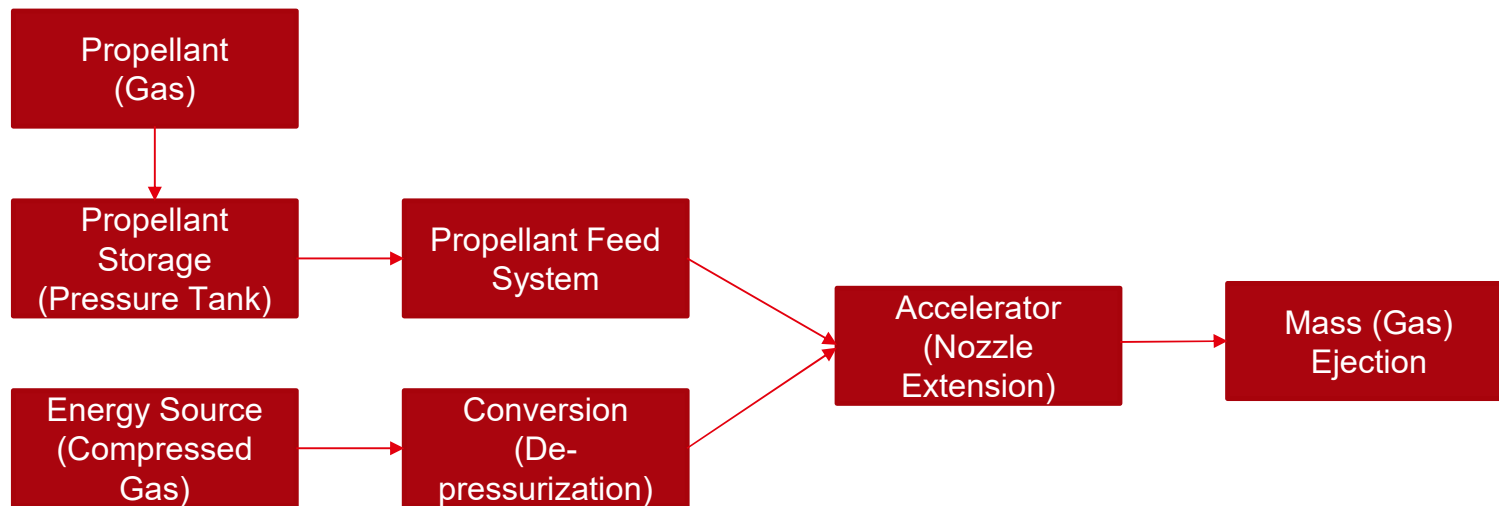
- Application
  - Small  $\Delta v$  missions (e.g. only attitude control)
  - Small spacecrafts (e.g. cubesats)
- Architecture
  - Blow-down systems



# Which Thermal Propulsion Systems exist?

Objective: To develop the basics of thermal propulsion – Group 1

- Block diagram for Thermal Cold Gas Propulsion Systems:



# Which Thermal Propulsion Systems exist?

Objective: To develop the basics of thermal propulsion – Group 1

- Characteristics of Thermal Cold Gas Propulsion Systems:

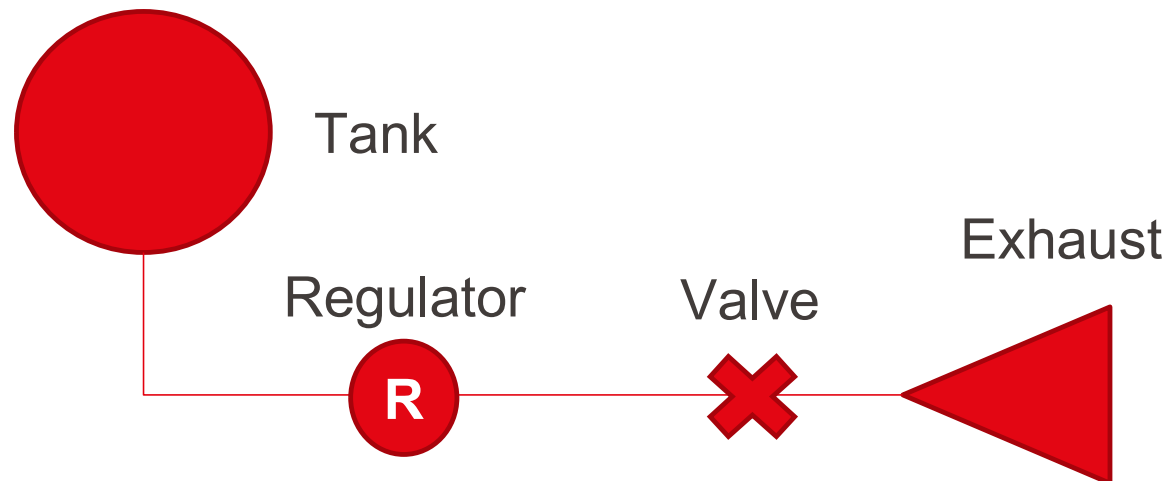
- High degree of reliability
- Low system complexity (no combustion involved)
- Low  $\Delta v$
- Extremely safe operation
- No contamination from exhaust (combustion) gases
- Low thrust
- High pressure on ground



# Which Thermal Propulsion Systems exist?

Objective: To develop the basics of thermal propulsion – Group 1

- Architecture of Thermal Cold Gas Propulsion Systems (as a cold gas reaction control system):



# Which Thermal Propulsion Systems exist?

Objective: To develop the basics of thermal propulsion – Group 1

- Architecture of Thermal Cold Gas Propulsion Systems:
  - Consideration of a pressure regulator is not mandatory, but
  - It allows to operate all Equipment below the regulator at lower pressure and therefore has lower strength requirements
  - It allows to operate the thruster at constant inlet pressure until the storage tank pressure drops below the regulator pressure and therefore ensures consistent level of thrust

# Which Thermal Propulsion Systems exist?

Objective: To develop the basics of thermal propulsion – Group 1

- Thermal Cold Gas propulsion characteristics (needed propellant mass @  $T = 298 \text{ K}$  for different gases with same  $\Delta v$  requirement)

Gas	$a_0$ [m/s]	$C^*$ [m/s]	$m$ [kg/s]	$I_{sp}$ [s]	$M$ [kg]
Air	346.1	427.2	0.051	78.9	51.6
Argon	320.7	343.6	0.071	57.0	71.5
CO2	269.3	356.8	0.056	72.3	56.3
He	1013.8	1085.6	0.022	180.1	22.6
H2	1314.4	1617.4	0.013	297.8	13.7
N2	351.9	434.4	0.050	80.2	50.8
O2	328.7	406.9	0.054	75.4	54.0

# Which Thermal Propulsion Systems exist?

Objective: To develop the basics of thermal

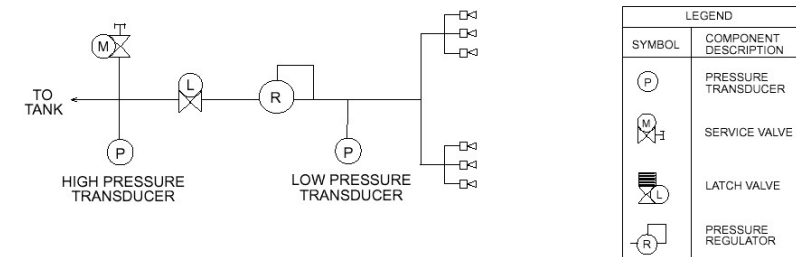
- Example: Cold Gas propulsion system



## Thrusters

Inlet Pressure: ..... 0 to 1.4 MPa, 0 to 200 psia (0 to 13.8 bar)  
 Thrust @ 50 psig: ..... 0.44N for SAFER type valves; 55mN for Pluto Fast-Fly-By valves  
 Response: ..... Less than 3.0 ms @ 28 Vdc, both opening and closing  
 Internal Leakage: ..... Less than 5 scc/hr GN<sub>2</sub> at MEOP  
 External Leakage: ..... Less than 1x10<sup>-5</sup> scc/s GHe at MEOP  
 Duty Cycle: ..... 10,000 cycles minimum  
 Weight: ..... Less than 30 grams per thruster

## Schematic



## Typical System Performance Specifications

Operating Media: ..... GHe or GN <sub>2</sub>	Thrust per Axis @
Tank Storage Pressure: ..... 4000 psi MEOP (275.9 bar)	50 psi (3.4 bar) reg. outlet: 0.44N or 55mN
Regulated Pressure: ..... 50 ± 10 psi (3.4 ± 0.6 bar)	Tubing Material: ..... 1/4 and 1/8 in. CRES
Proof Pressure (Low): ..... 200 psi (13.8 bar)	Electropolished Inner Diam.
Burst Pressure (Low): ..... 400 psia (27.6 bar)	Overall Dimensions: ..... 10 x 10 x 5 in. (25 x 25 x 13 cm)
Proof Pressure (High): ..... 6500 psia (448 bar)	Dry System Weight: ..... 7.25 lb (16 kg) estimated
Burst Pressure (High): ..... 8000 psia (552 bar)	Configuration can be modified to meet individual customer requirements.

## Worst Case Flow Conditions (two 0.44N thrusters and two 55mN thrusters)

### Flow rate of 0.003 lb/sec GN<sub>2</sub> (0.0014 kg/sec)

Minimum inlet pressure to regulator for full flow condition is 330 psi (22.7 bar). Minimum inlet pressure to latch valve inlet to support the downstream regulator is 350 psi (24.1 bar). System pressure budget for worst case flow demand is as follows:  
 Tank (Inlet to latch valve): 350 psi (24.1 bar). Inlet to regulator: 330 psi (22.7 bar) for a regulated pressure of 50 psi (3.4 bar).

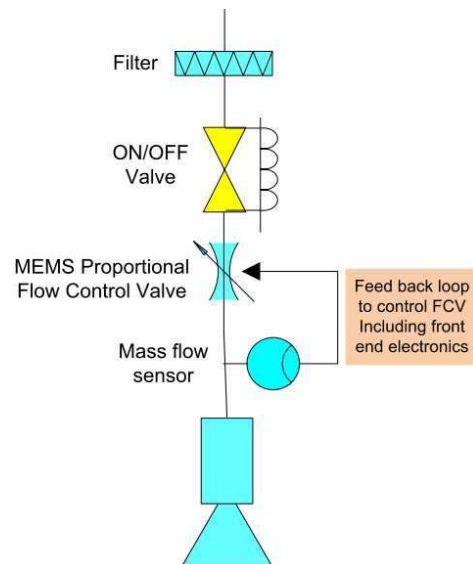
# Which Thermal Propulsion Systems exist?

Objective: To develop the basics of thermal propulsion – Group 1

- Example: Cube Sat propulsion system

General specification:

- Four 1mN thrusters with closed loop thrust control
- Thrust resolution:  $<10\mu\text{N}$
- Propellant: Butane
- Total impulse: 40Ns
- Size: 10\*10\*3cm
- Mass: 250g
- Operating pressure: 2-5 bar
- Power consumption: 2 W



# Which Thermal Propulsion Systems exist?

Objective: To develop the basics of thermal propulsion – Group 1

- Basic performance equations:

- Sonic velocity

$$a_0 = \sqrt{\gamma R T_0}$$

- Characteristic velocity

$$c^* = \frac{a_0}{\gamma \left( \frac{2}{\gamma + 1} \right)^{\frac{\gamma + 1}{2\gamma - 2}}}$$

# Which Thermal Propulsion Systems exist?

Objective: To develop the basics of thermal propulsion – Group 1

- Basic performance equations:

- Thrust

$$F = A_t p_c \gamma \sqrt{\left(\frac{2}{\gamma-1}\right) \left(\frac{2}{\gamma+1}\right)^{\left(\frac{\gamma+1}{\gamma-1}\right)} \left(1 - \left(\frac{p_e}{p_c}\right)^{\frac{\gamma-1}{\gamma}}\right)} + (p_e - p_a) A_e$$

- Mass flow

$$\dot{m} = \frac{A_t p_c}{c^*}$$

# Which Thermal Propulsion Systems exist?

Objective: To develop the basics of thermal propulsion – Group 1

- Basic performance equations:
  - $I_{sp}$

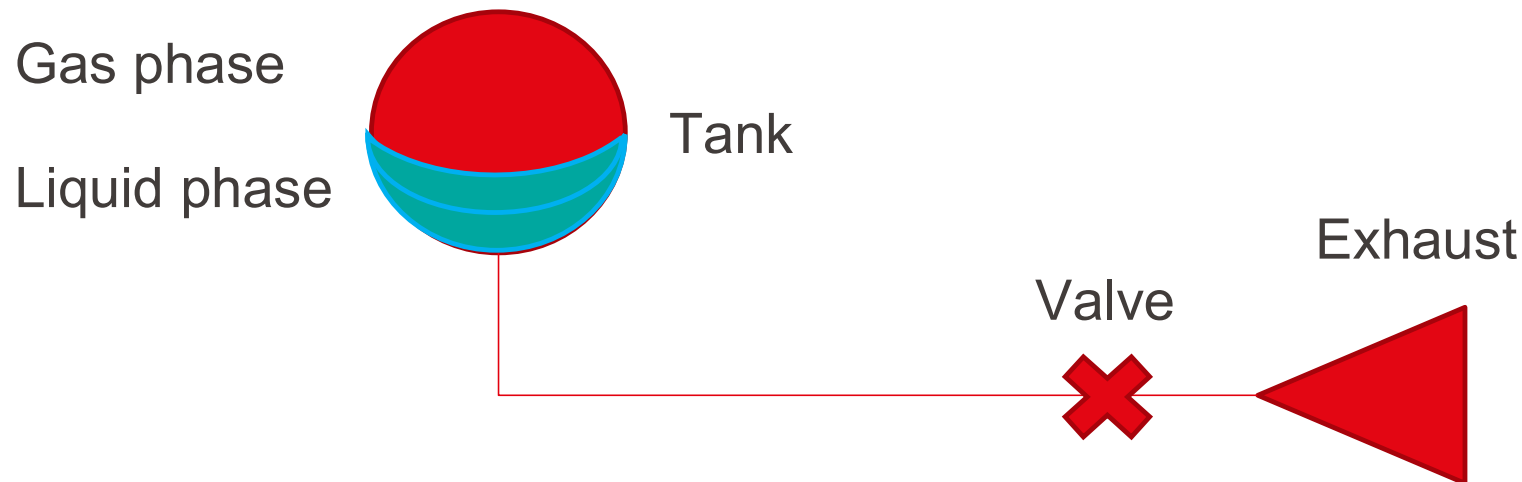
$$I_{sp} = \frac{F}{\dot{m}g_0}$$



# Which Thermal Propulsion Systems exist?

Objective: To develop the basics of thermal propulsion – Group 1

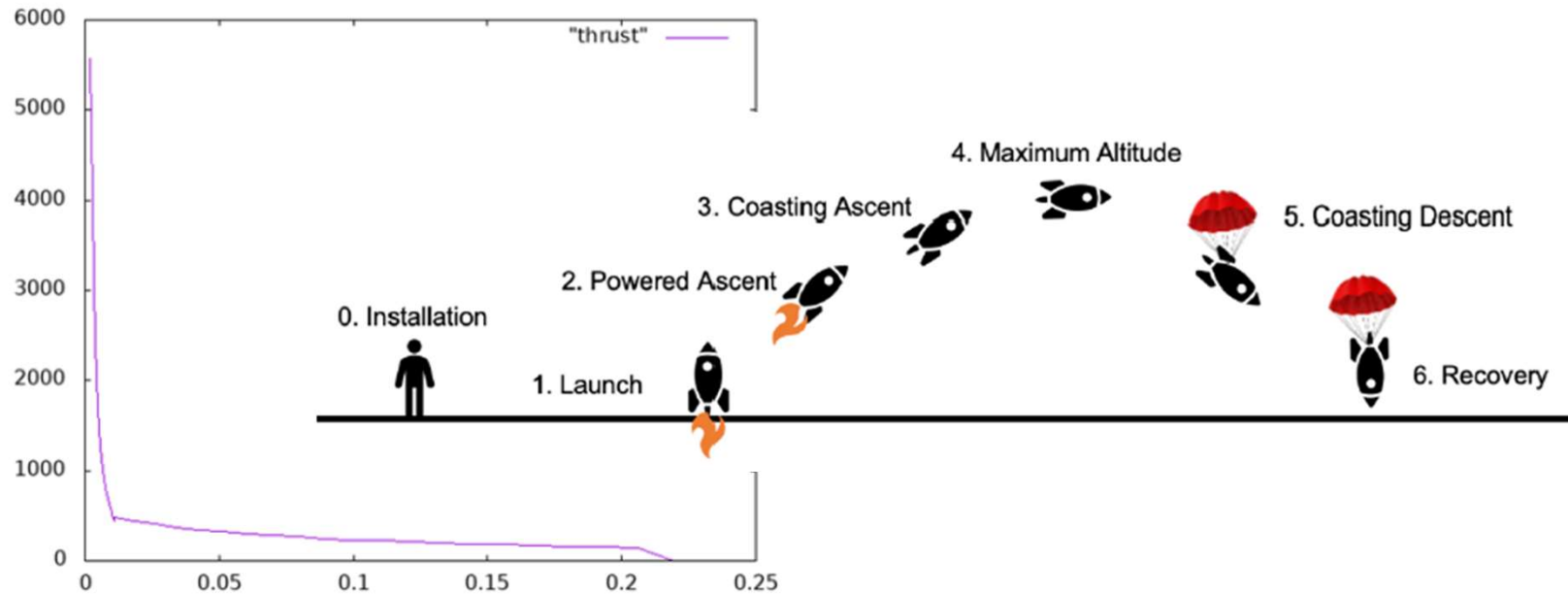
- Architecture of Thermal Cold Gas / Liquid Propulsion Systems (as student project):



# Which Thermal Propulsion Systems exist?

Objective: To develop the basics of thermal propulsion – C

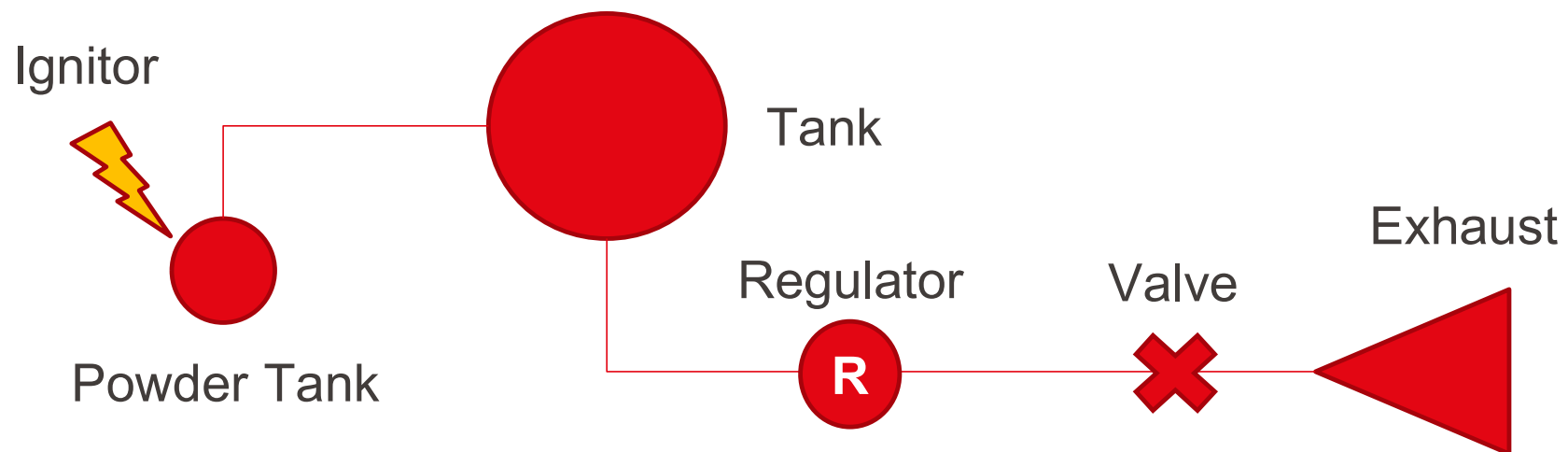
- Example: Plasti Blast and others



# Which Thermal Propulsion Systems exist?

Objective: To develop the basics of thermal propulsion – Group 1

- Architecture of Thermal Gas Propulsion Systems solid powder on ground for storage:



# Which Thermal Propulsion Systems exist?

Objective: To develop the basics of thermal propulsion – Group 1

- Characteristics of Thermal Gas Propulsion Systems:

- High degree of reliability
- Medium low system complexity (no combustion involved)
- Low  $\Delta v$
- ~~Extremely~~ safe operation
- No contamination from exhaust (combustion) gases
- Low thrust
- ~~High pressure on ground~~

# Which Thermal Propulsion Systems exist?

Objective: To develop the basics of thermal propulsion – Group 1

- Architecture of Cryogenic Boil-off:



# Which Thermal Propulsion Systems exist?

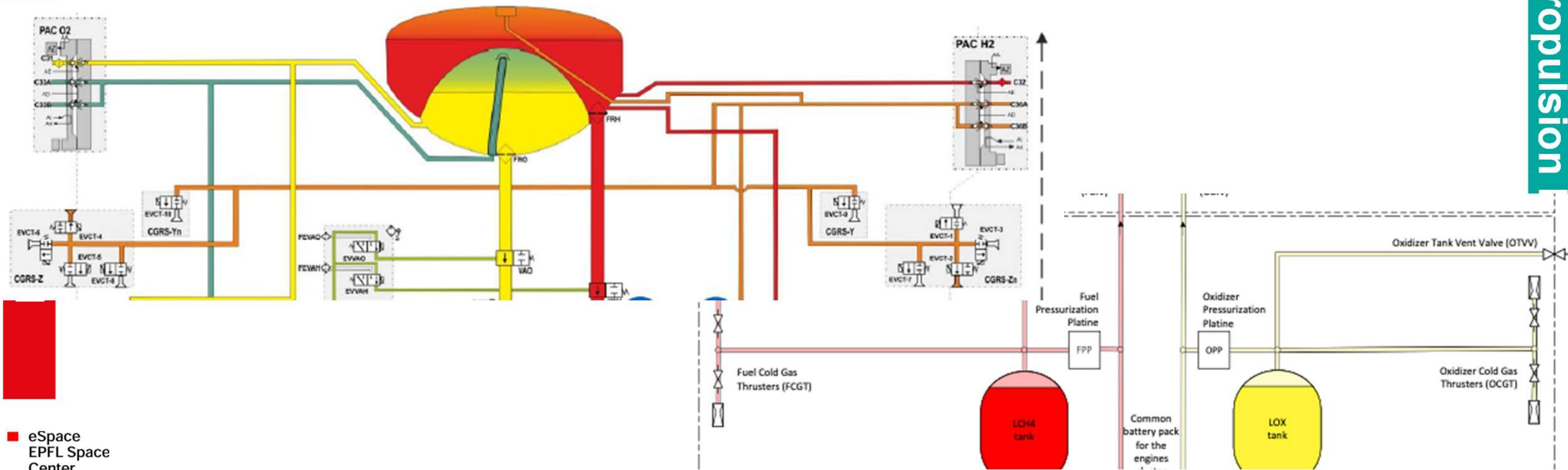
Objective: To develop the basics of thermal propulsion – Group 1

- Example: LH2 boil-off in cryogenic upper stages
  - Permanent LH2 boil-off is given as propellant temperature is @ 20 K
  - Tank pressure is important parameter to control liquid temperature
  - Also de-pressurization is performed to cool-down the propellant
  - Available gas pressure can be used for propellant settling, as attitude control system...but might also be just vented (not providing any impulse to the upper stage)
  - No pressure regulator is needed as tank pressure is already very low

# Which Thermal Propulsion Systems exist?

Objective: To develop the basics of thermal propulsion – Group 1

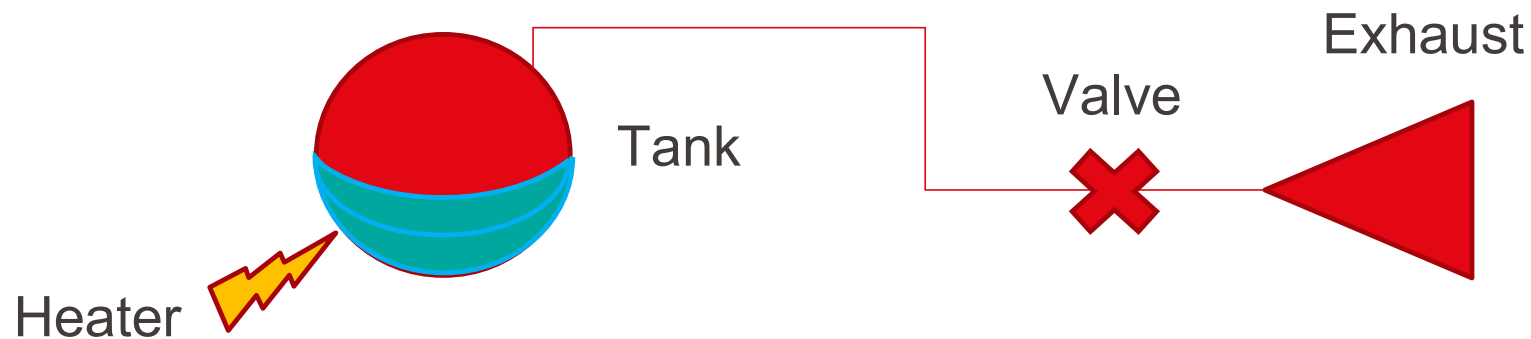
- Example: A5ME / A6 launch vehicles and TEC Nyx Moon capsule



# Which Thermal Propulsion Systems exist?

Objective: To develop the basics of thermal propulsion – Group 1

- Architecture of Storable Propellant Boil-off @ ambient temperatures considering high vapor pressures:





# Which Thermal Propulsion Systems exist?

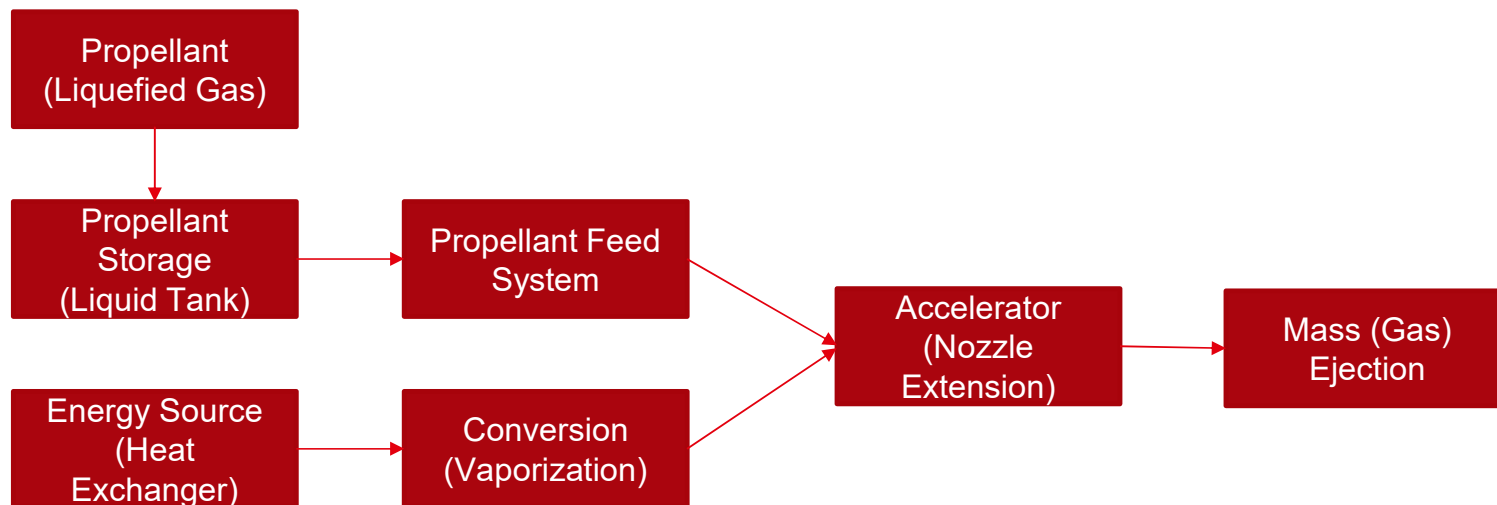
Objective: To develop the basics of thermal propulsion – Group 1

- Example: N<sub>2</sub>O boil-off in
  - Forced N<sub>2</sub>O boil-off due to high vapor pressure and correlation between liquid temperature and gas pressure
  - is important parameter to control liquid temperature
  - But also other way round liquid temperature is important parameter to control tank pressure
  - Available gas pressure can be used for propellant settling, as attitude control system...but might also be just vented (not providing any impulse to the upper stage)
  - Pressure regulator might be needed in order to get constant thrust (but could also controlled by effective temperature control of liquid N<sub>2</sub>O)

# Which Thermal Propulsion Systems exist?

Objective: To develop the basics of thermal propulsion – Group 1

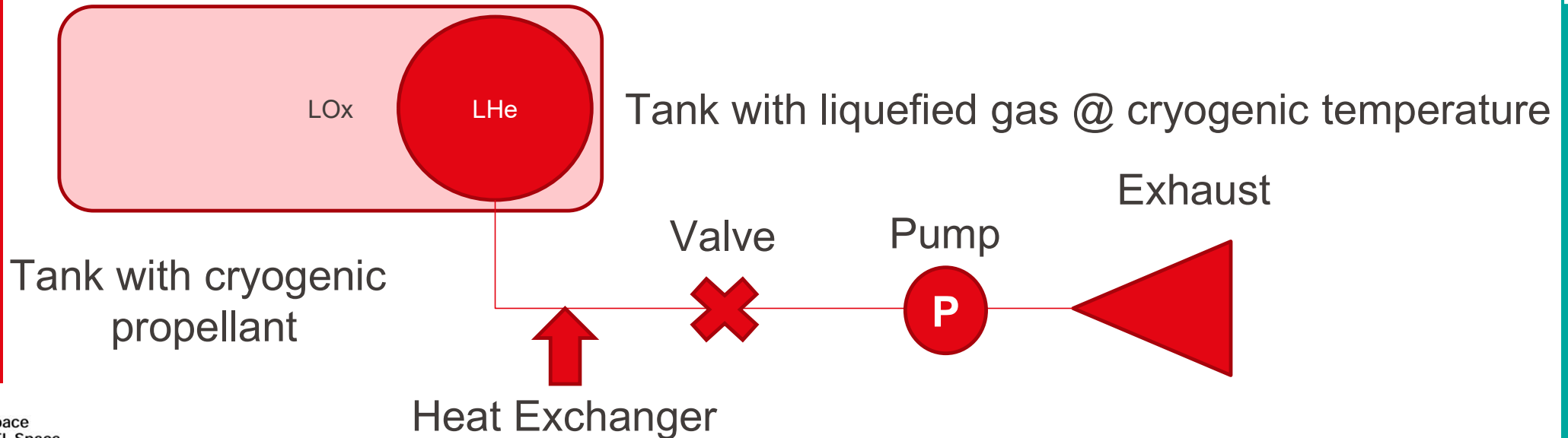
- Block diagram for Thermal Liquefied Gas Propulsion Systems:



# Which Thermal Propulsion Systems exist?

Objective: To develop the basics of thermal propulsion – Group 1

- Architecture of Thermal Liquefied Gas Propulsion Systems (as a cold gas reaction control system):



# Which Thermal Propulsion Systems exist?

Objective: To develop the basics of thermal propulsion – Group 1

- Architecture of Thermal Liquefied Gas Propulsion Systems:
  - Means must be provided for storage of liquefied gas (e.g. by storage of gas inside cryogenic propellant tank)
  - Heat Exchanger must be used in order to ensure sufficient vaporization rate
  - Most probably pump is needed to increased pressure of vaporized gas @ thruster (nozzle extension) inlet

# Which Thermal Propulsion Systems exist?

Objective: To develop the basics of thermal propulsion – Group 1

- Characteristics of Thermal Liquefied Gas Propulsion Systems:
  - High degree of reliability
  - High system complexity (no combustion involved but storage of liquefied gas)
  - Low  $\Delta v$
  - Extremely safe operation
  - No contamination from exhaust (combustion) gases
  - Low thrust
  - Additional equipment (Heat Exchanger and potentially pump)
  - Gas tank in liquid tank

# Which Thermal Propulsion Systems exist?

Objective: To develop the basics of thermal propulsion – Group 1

- Example: SSHEL of ARIANE 5



# Which Thermal Propulsion Systems exist?

Objective: To develop the basics of thermal propulsion – Group 1

- Performance comparison of different pneumatical propulsion systems

	Cold Gas	Solid Powder	Cryogenic Boil-off	Liquefied Gas	Water Rocket
Medium	GN2	GN2	GH2	GHe	Air
Temperature	293 K	1300 K	20 K	4 K up	293 K
Use case	Cubesat propulsion Attitude control	Pressurant gas De-orbit burn	Attitude control	Attitude control Pressurant gas	Fun